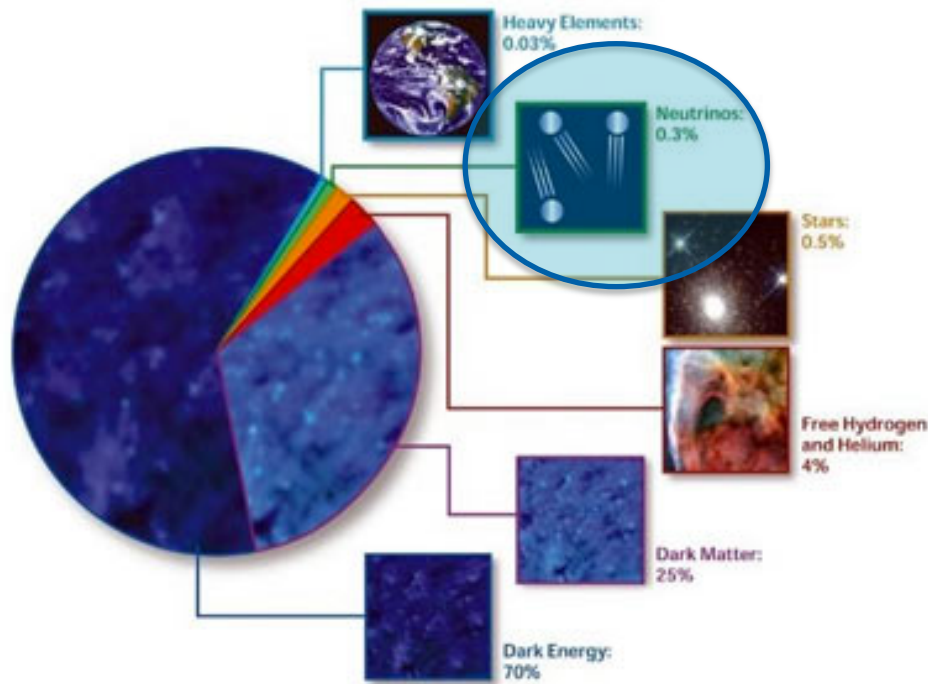


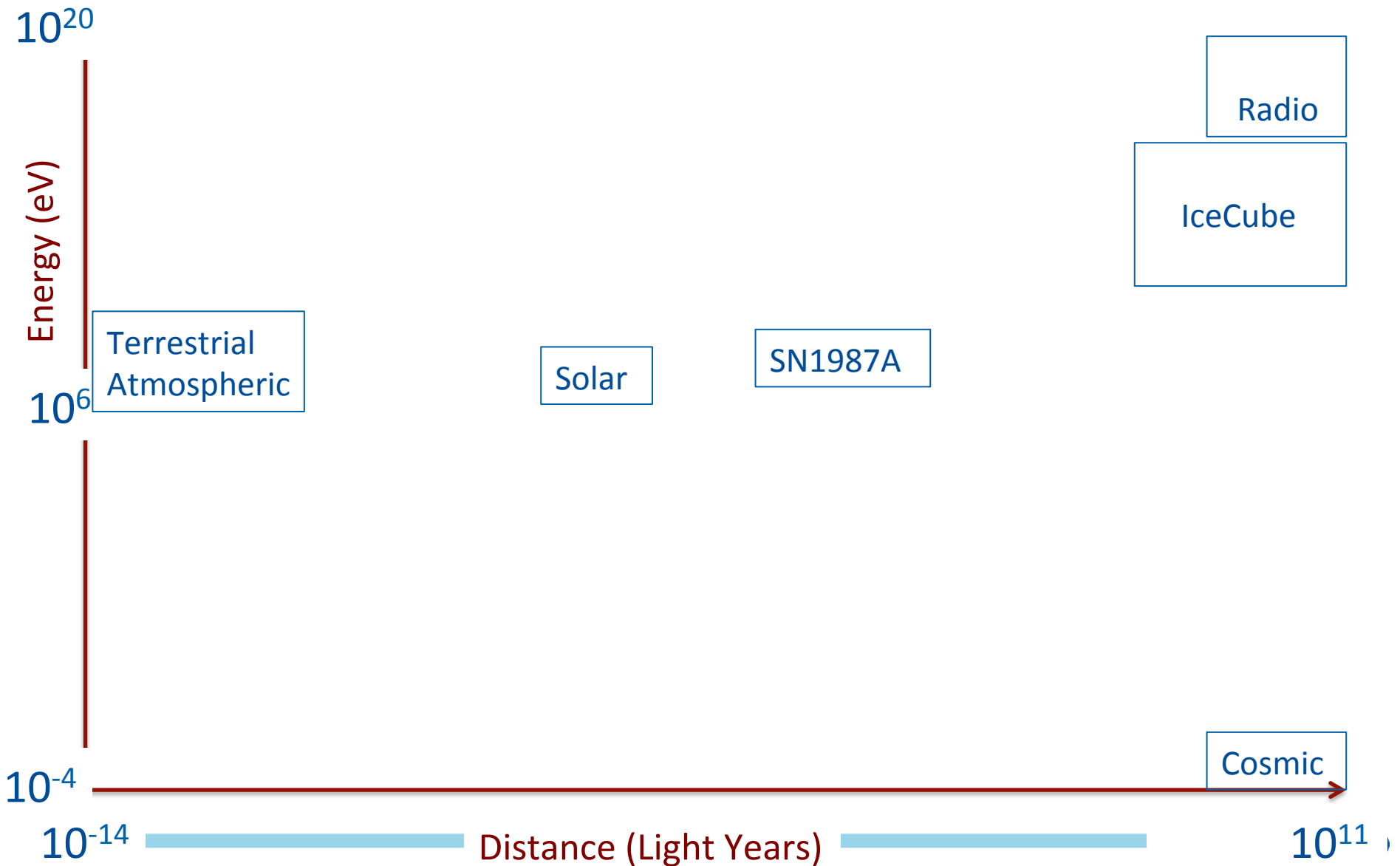


Managed by Fermi Research Alliance, LLC for the U.S. Department of Energy Office of Science



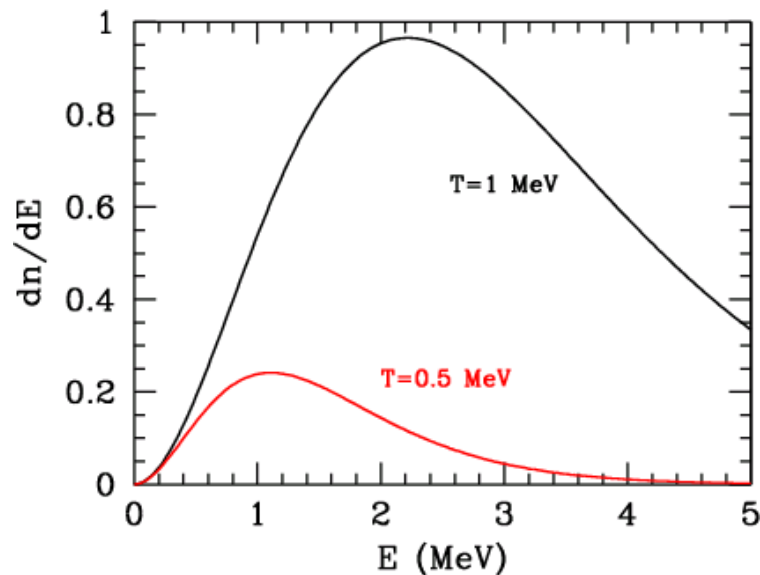
Cosmology Overview

“Area” = (Highest E/Lowest E)X(Largest D/Smallest D) = 10^{50}



At early times, electroweak reactions were frequent enough to keep neutrinos in equilibrium with the rest of the cosmic plasma

Fermi-Dirac distribution with temperature T equal to the electron/photon temperature.



After the neutrinos decoupled from the rest of the plasma ($kT < \text{MeV}$), they still maintained Fermi-Dirac distribution with T falling as the Universe expanded

Calibrate off the well-known photon temperature

$$n_{\nu} = 115 N_{\nu} \text{cm}^{-3}$$

Number of species of weakly
interacting neutrinos (3)

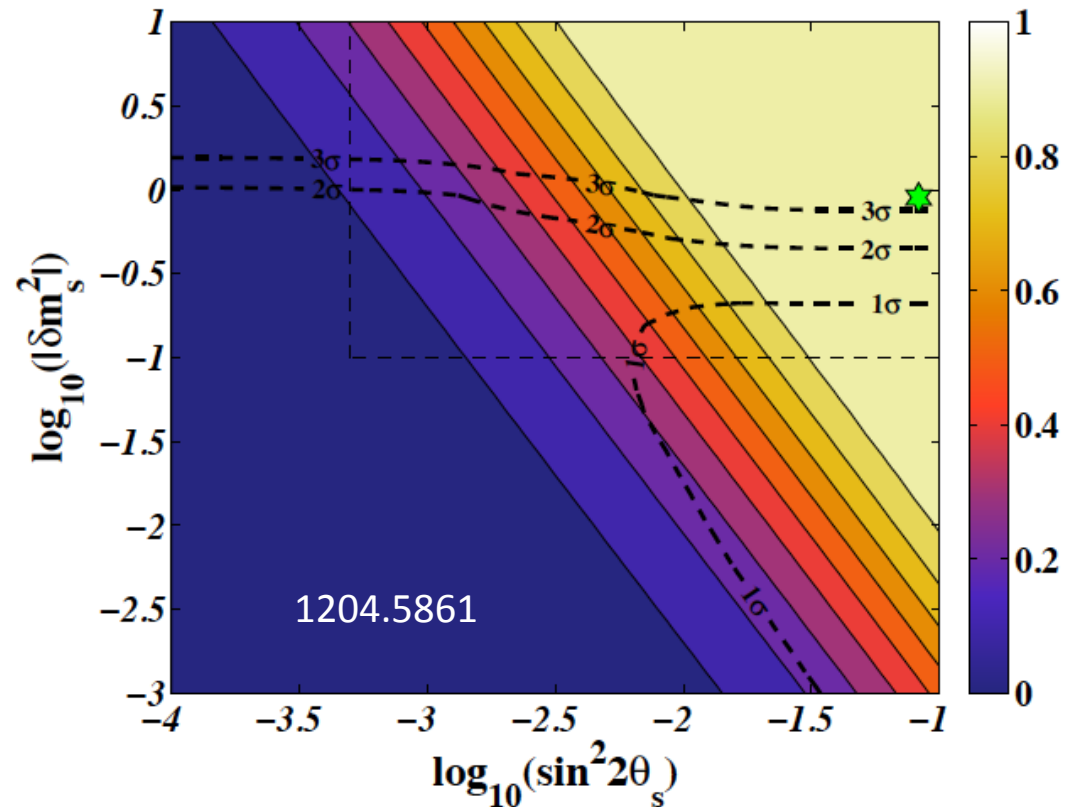
There are ~ a hundred quadrillion cosmic neutrinos (flux of $115 \times 3 \text{c} = 10^{13} \text{cm}^{-2} \text{sec}^{-1}$) passing through this screen ($\sim 10^4 \text{cm}^2$) every second.

Sterile Neutrinos produced in the early universe via oscillations

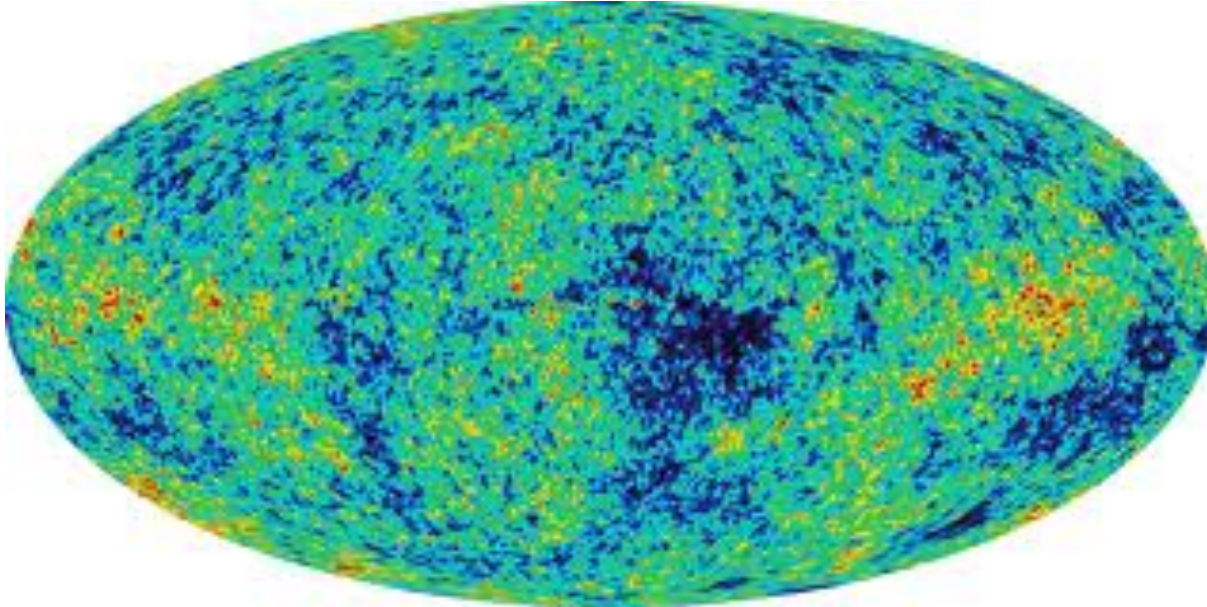
$$Rate = \frac{1}{2} \sin^2(2\bar{\theta}_s) \Gamma_{weak}$$

where the mixing angle needs to be computed in matter

Production peaks at ~ 100 MeV and can completely thermalize the state so that $N_\nu \rightarrow 4$



Neutrinos leave a subtle imprint on the sky



Cosmic Microwave Background:
Picture of the Universe when it
was 380,000 years old

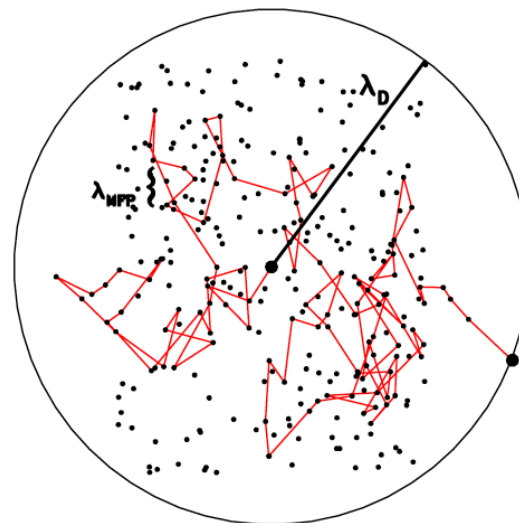
Acoustic Oscillations

- At these early times, electrons, protons, and photons were tightly coupled, acted as single fluid
- Subject to **restoring force**: overdense regions become underdense as photons stream out → **acoustic oscillations**



Acoustic Oscillations and Damping

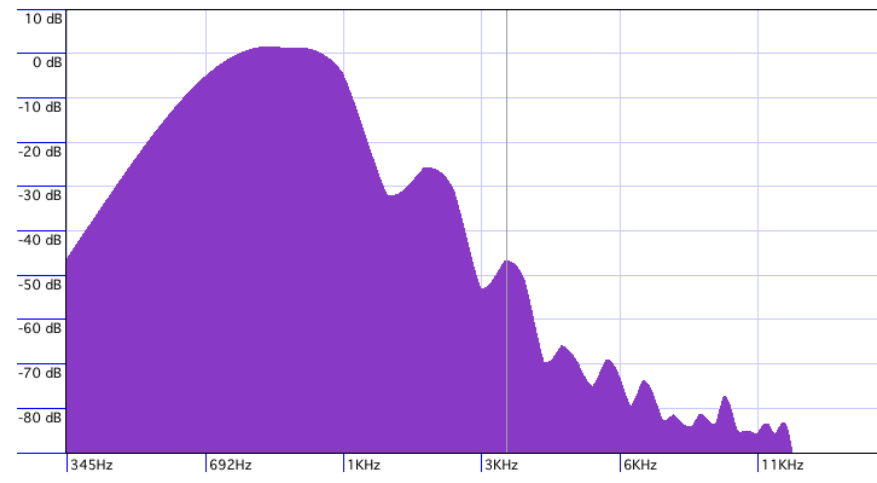
- At these early times, electrons, protons, and photons were tightly coupled, acted as single fluid
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- On small scales, photons can random walk and suppress perturbations → **damping**



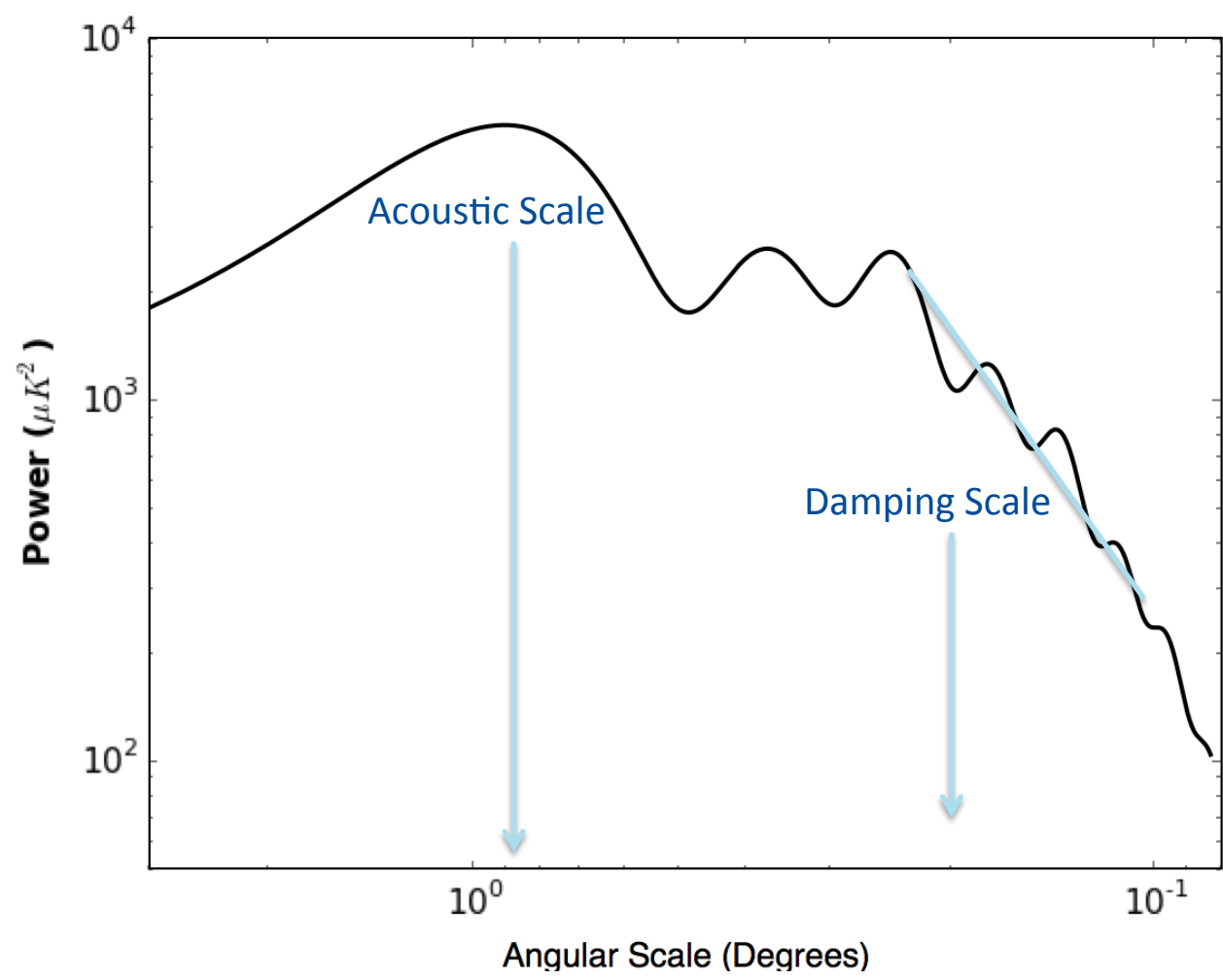
Acoustic Oscillations and Damping

- At these early times, electrons, protons, and photons were tightly coupled, acted as single fluid
- Subject to **restoring force**: overdense regions become underdense as photons stream out → **acoustic oscillations**
- On small scales, photons can random walk and suppress perturbations → damping

Spectrum of Musical Note



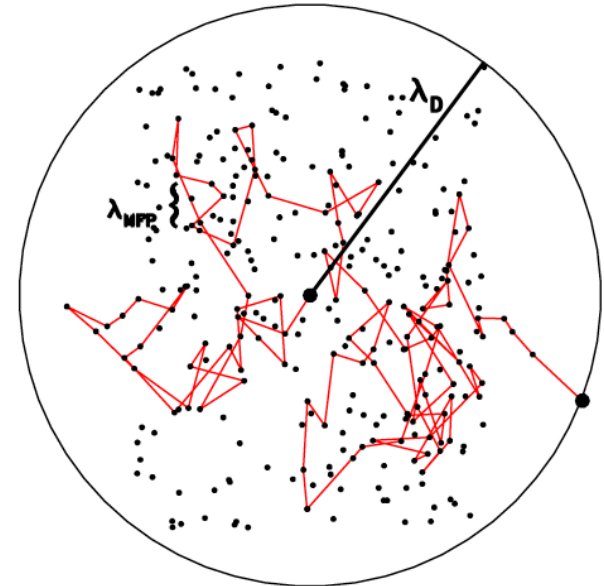
Power Spectrum of CMB: Acoustic Oscillations and Damping



Ratio of Acoustic Scale to Damping scale

$$\lambda_{acoustic} \sim c_{sound} t \propto t$$

$$\lambda_D \sim \lambda_{MFP} \sqrt{N_{scatters}} \sim \lambda_{MFP} \sqrt{\frac{ct}{\lambda_{MFP}}} \propto t^{1/2}$$



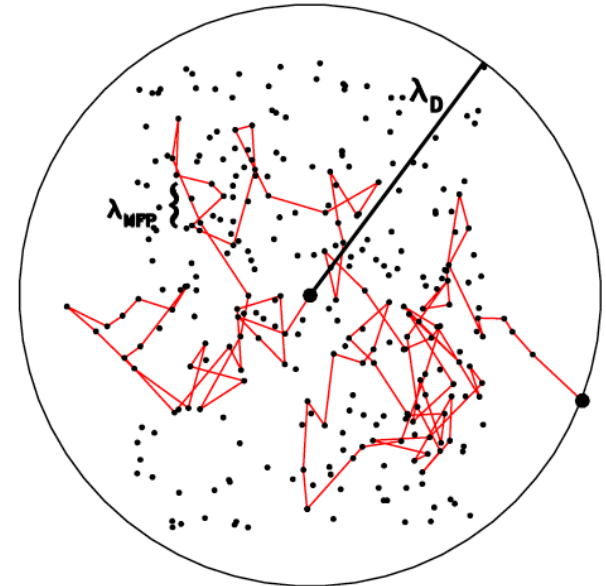
Ratio of Acoustic Scale to Damping scale

$$\lambda_{acoustic} \sim c_{sound} t \propto t$$

The ratio of the damping scale to the acoustic scale:

$$\frac{\lambda_{acoustic}}{\lambda_{damping}} \propto t_{rec}^{1/2}$$

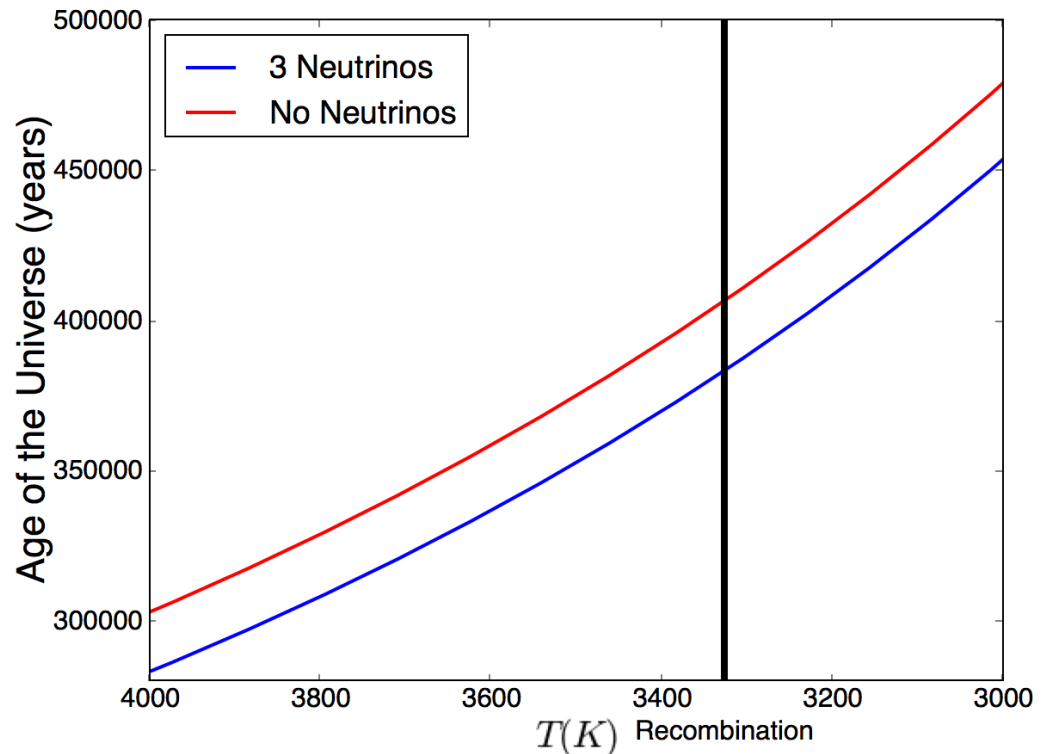
$$\lambda_D \sim \lambda_{MFP} \sqrt{N_{scatters}} \sim \lambda_{MFP} \sqrt{\frac{ct}{\lambda_{MFP}}} \propto t^{1/2}$$



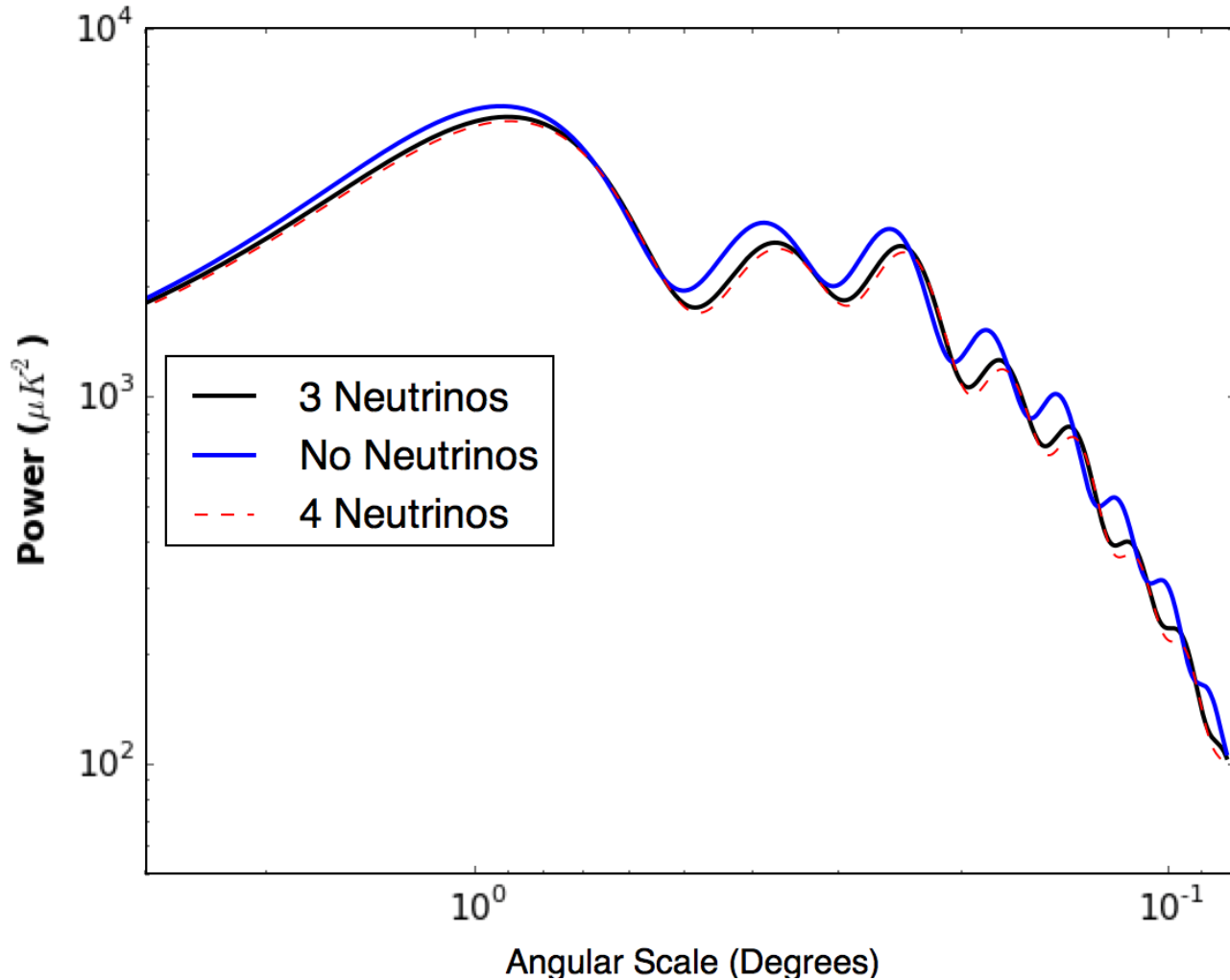
Neutrinos contribute to energy density of the early Universe

- Einstein's equations
→ Expansion Rate
proportional to energy
density
- Age of the universe at
given Temperature is
higher if expansion
rate is slower (e.g., if
neutrinos did not
contribute to the
energy budget)

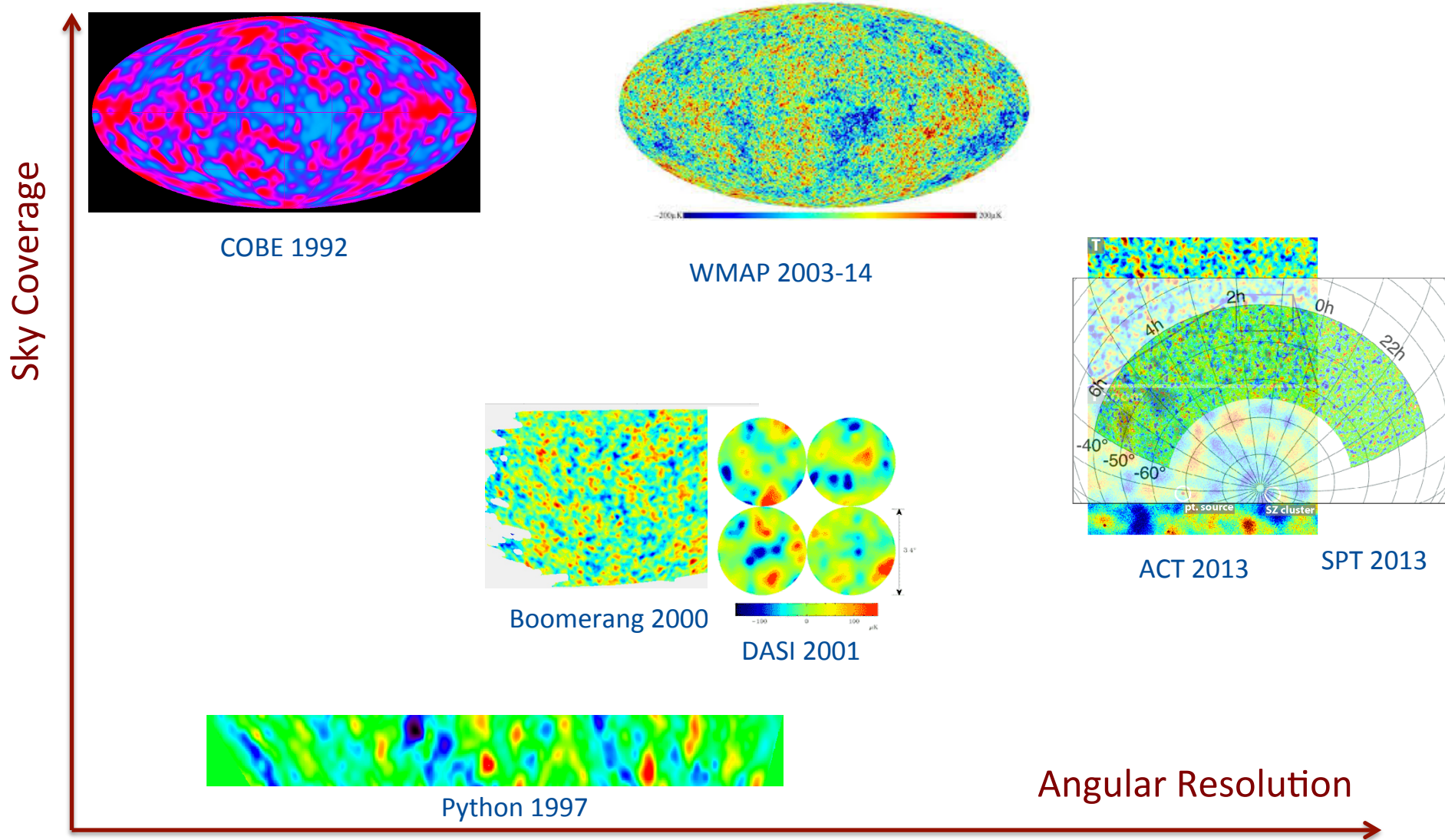
$$\frac{\lambda_{acoustic}}{\lambda_{damping}} \propto t_{rec}^{1/2}$$



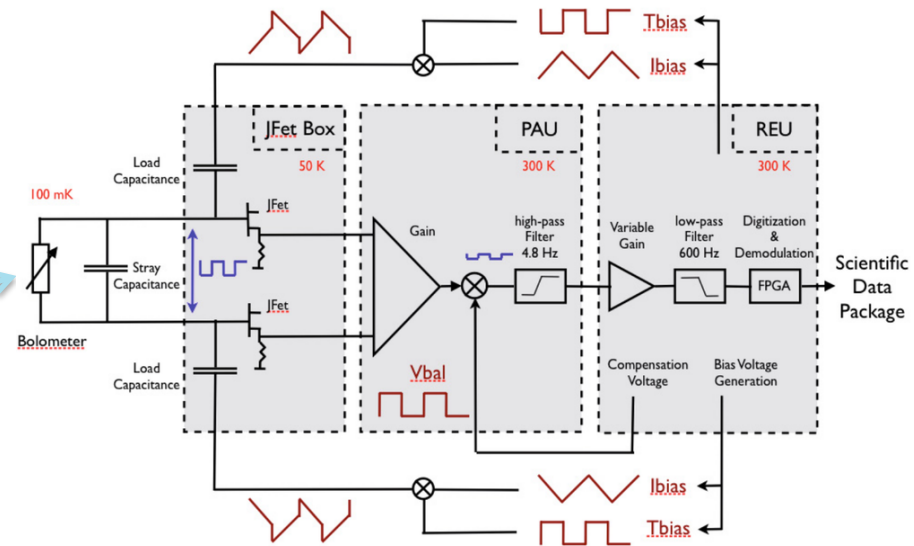
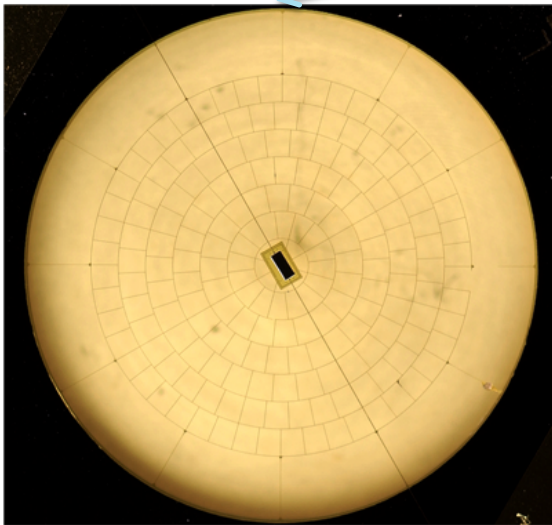
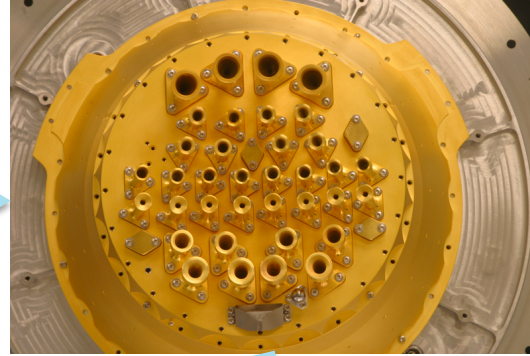
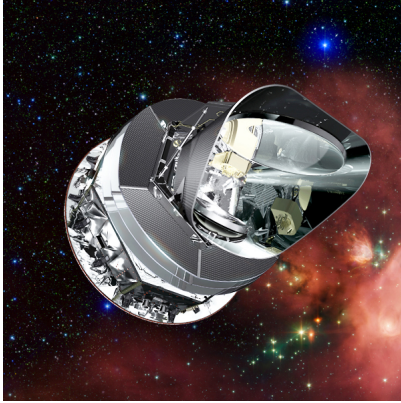
More neutrinos $\rightarrow$ More Damping
 $\rightarrow$ Less power on small scales



CMB Anisotropies measured for over 20 years



Example: Planck High Frequency Instrument



Map Making

(Simplified) Model for the time-ordered data:

$$d_t = A_{tp} T_p + n_t$$

Diagram illustrating the model components:

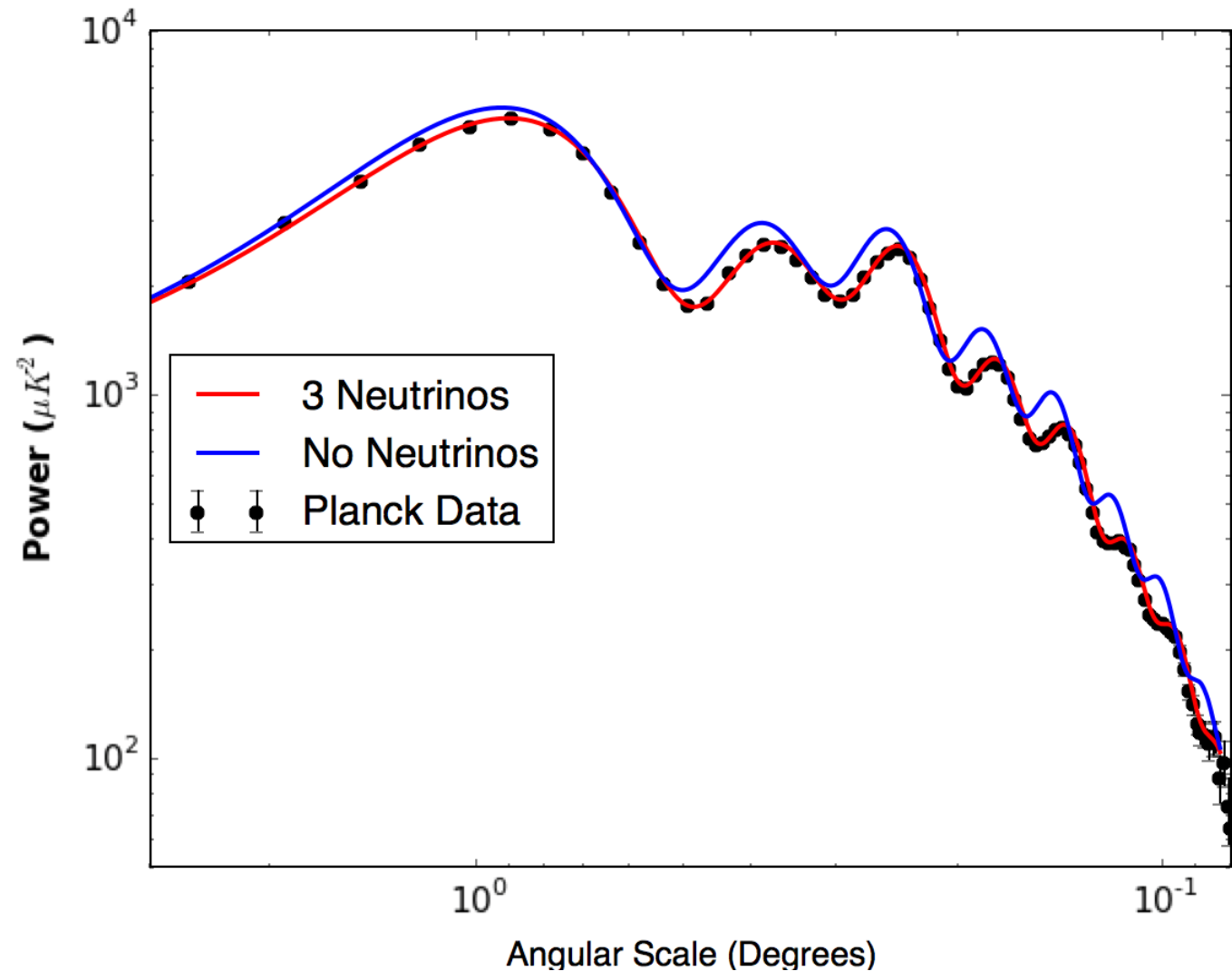
- A_{tp} : Pointing matrix
- T_p : Temperature in pixel p
- n_t : Time-stream noise, with mean zero and variance N

Minimum variance estimator for map:

$$\mathbf{T}_p = \left(\mathbf{A}^T \mathbf{N}^{-1} \mathbf{A} \right)^{-1} \mathbf{A}^T \mathbf{N}^{-1} \mathbf{d},$$

(Indirect) Detection of Cosmic Neutrino Background!

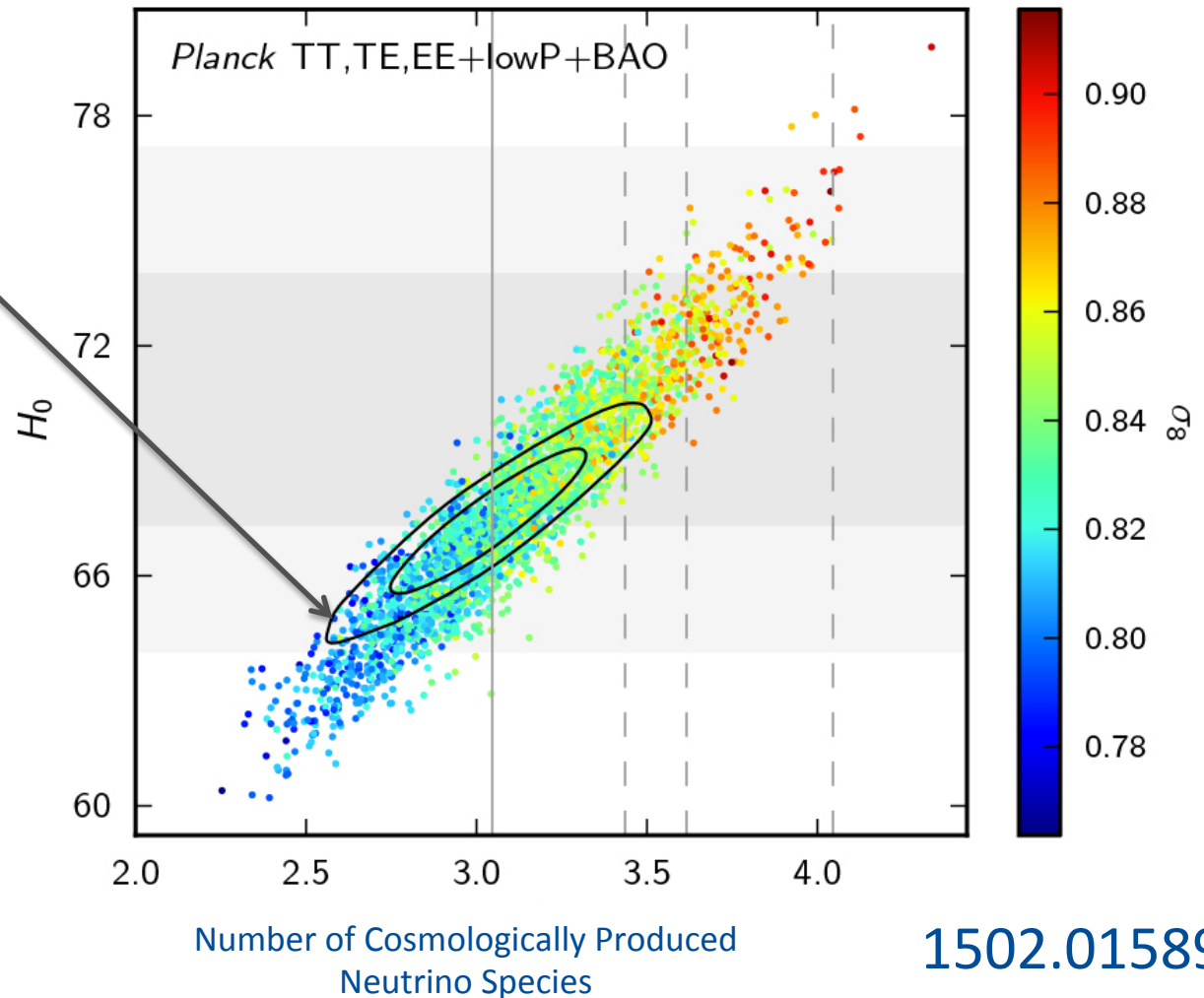
Damping scale
in model
without
neutrinos is
too small



Light sterile neutrinos Disfavored

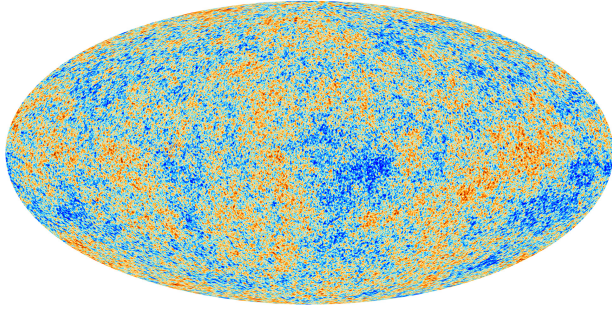
Black contours use more data sets (TT, TE, EE, BAO):
N=4 excluded at 5-sigma

“leads to the
robust conclusion
that $\Delta N_{\text{eff}} < 1$ at
over 3-sigma .”



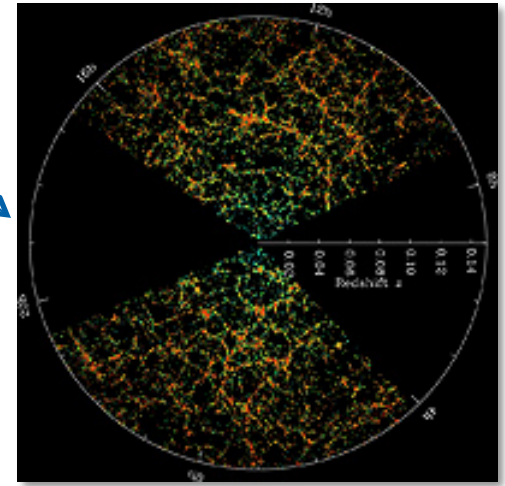
1502.01589

Maps of the Universe at later times inform us about the masses of neutrinos

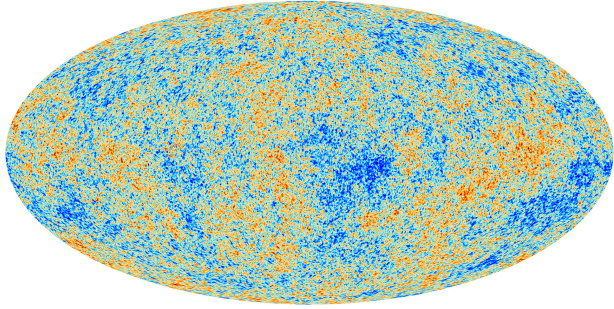


UNIFORM TO ONE
PART IN 10,000

VERY NON-UNIFORM



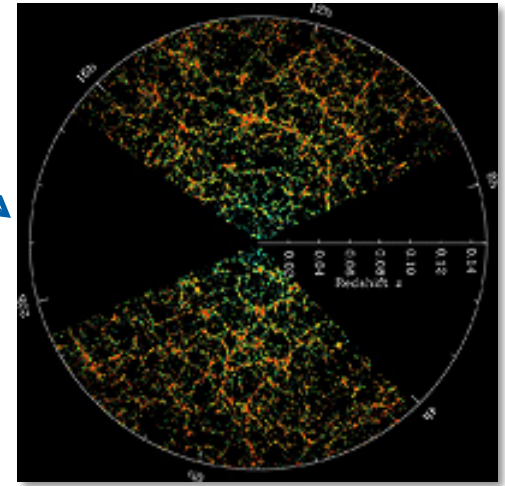
Maps of the Universe at later times inform us about the masses of neutrinos



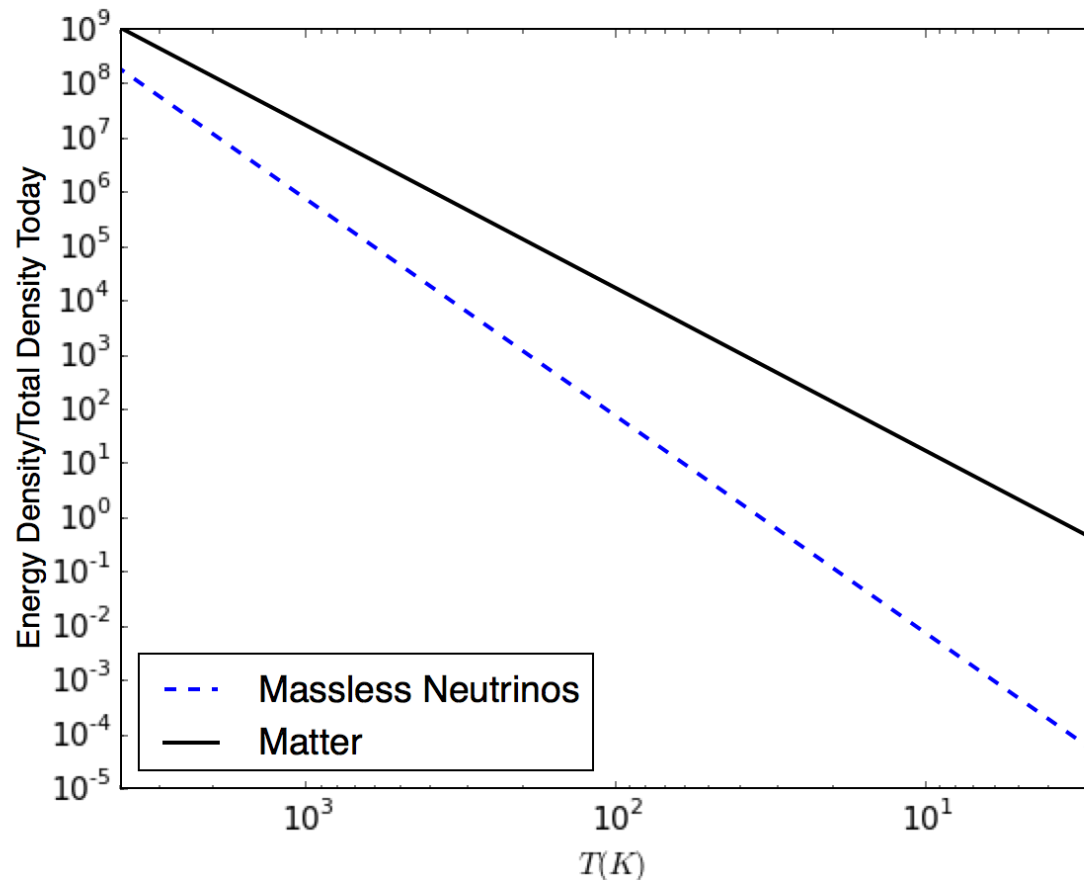
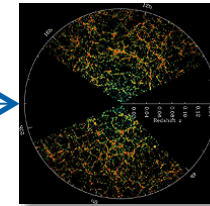
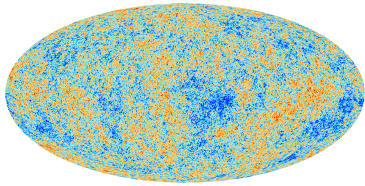
UNIFORM TO ONE
PART IN 10,000

This evolution was driven by gravity:
over-dense regions became more
over-dense, eventually forming
galaxies and stars

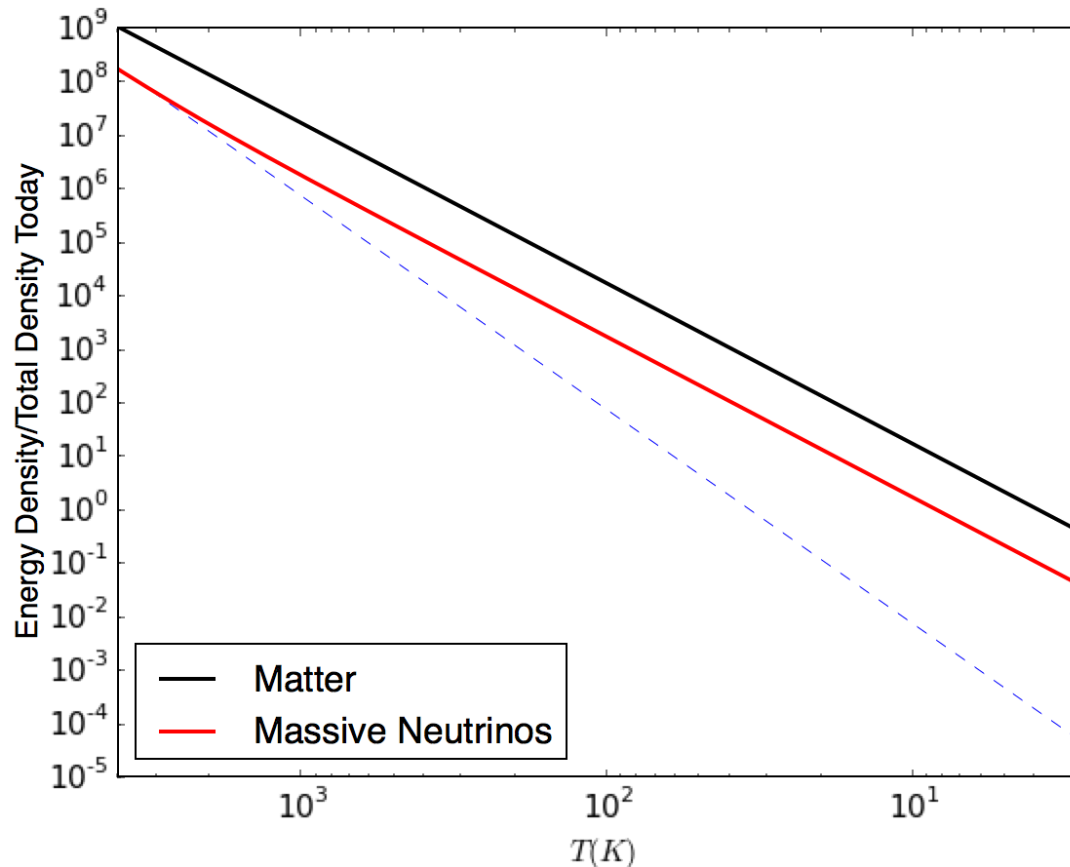
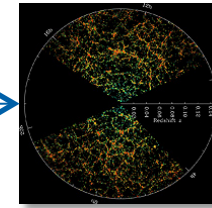
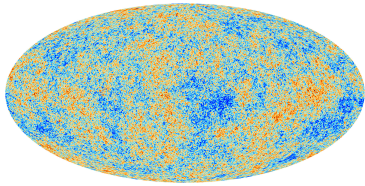
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Maps of the Universe at later times inform us about the masses of neutrinos



Maps of the Universe at later times inform us about the masses of neutrinos

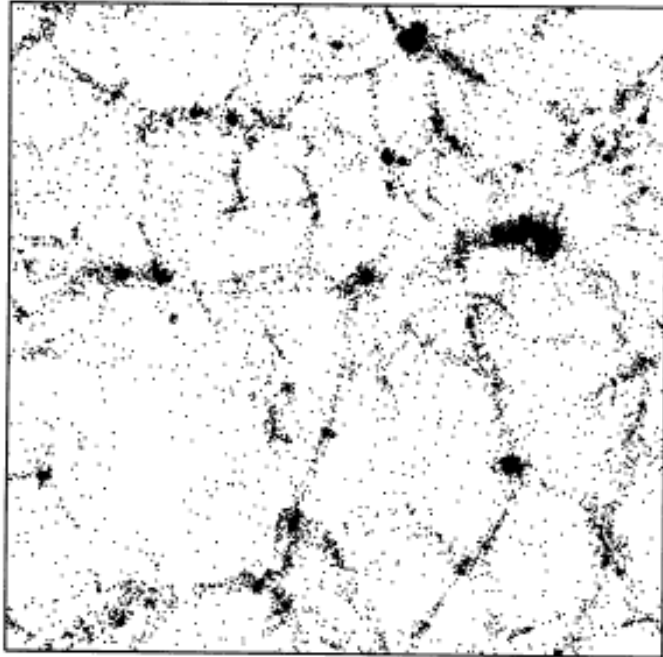


- Massive neutrinos affect the evolution of structure
- Relevant quantity is the neutrino energy density at late times or Σm_ν

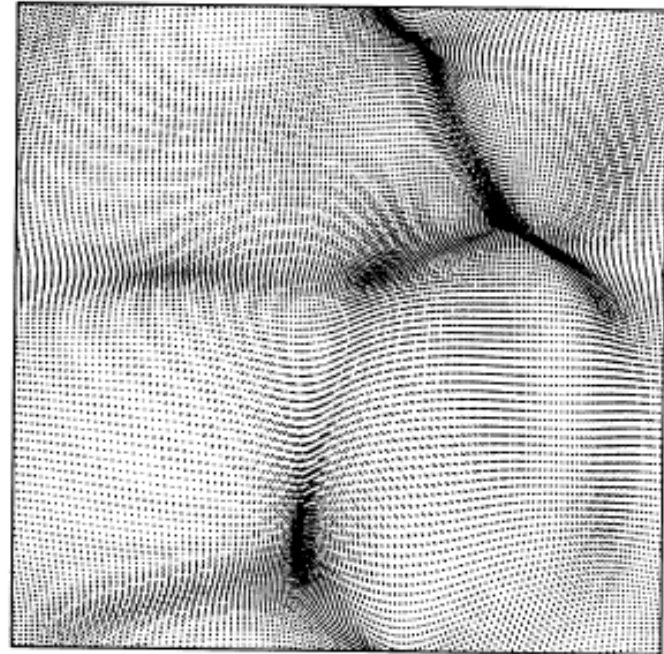
Neutrinos Inhibit Small Scale Structure

Neutrinos have large thermal velocities so do not cluster on small scales. This non-clustering component inhibits the formation of small scale structure.

Massless Neutrinos

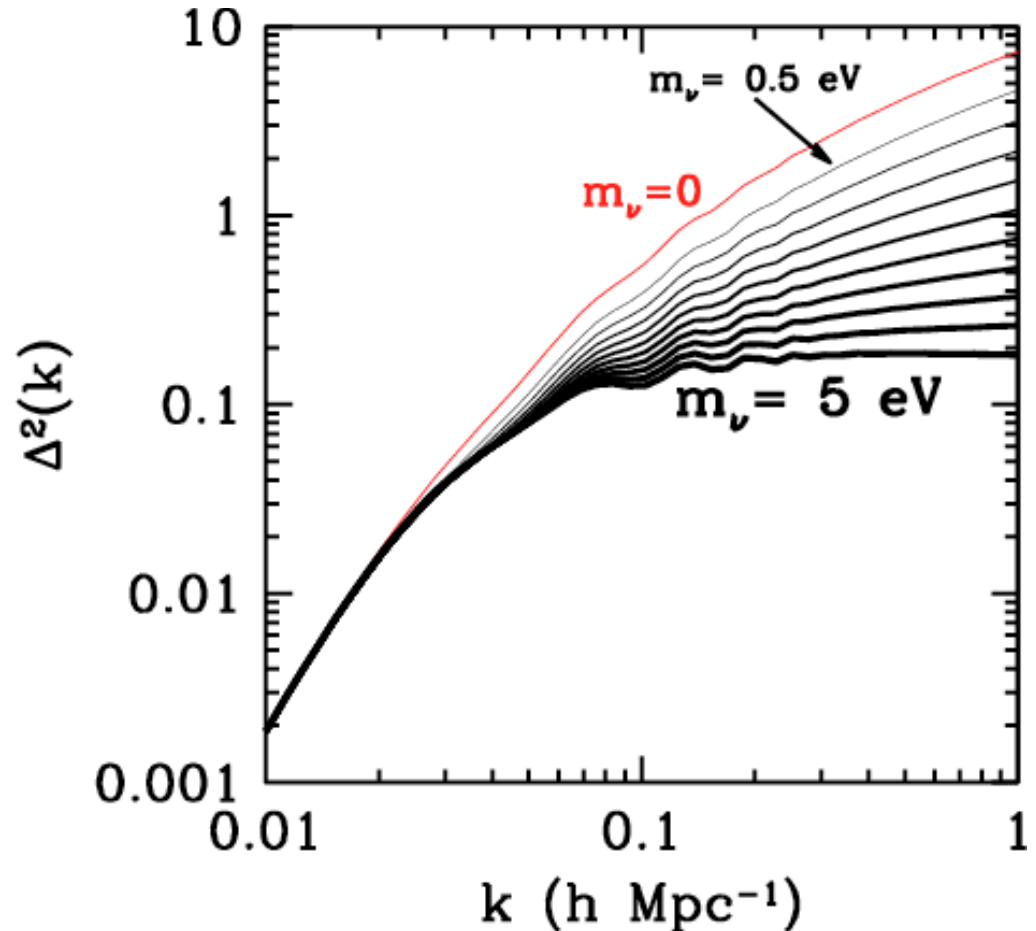


Massive Neutrinos



Neutrinos Inhibit Small Scale Structure

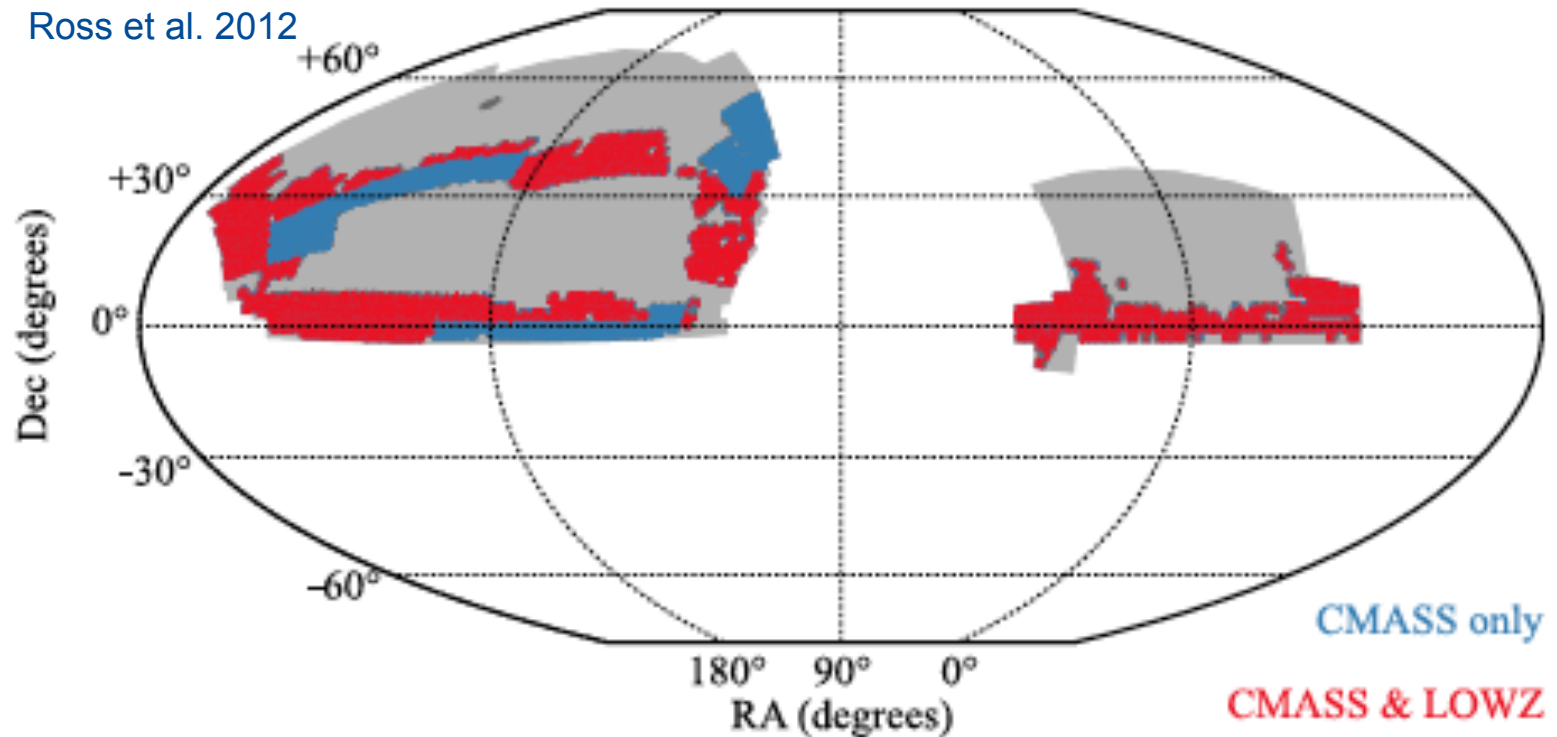
We quantify this with the power spectrum, or the dimensionless $k^3 P(k)$.



Probes of Structure 1103.5083

Probe	Current $\sum m_\nu$ (eV)	Forecast $\sum m_\nu$ (eV)	Key Systematics	Current Surveys	Future Surveys
CMB Primordial	1.3	0.6	Recombination	WMAP, Planck	None
CMB Primordial + Distance	0.58	0.35	Distance measurements	WMAP, Planck	None
Lensing of CMB	∞	0.2 – 0.05	NG of Secondary anisotropies	Planck, ACT [39], SPT [96]	EBEX [57], ACTPol, SPTPol, POLAR-BEAR [5], CMBPol [6]
Galaxy Distribution	0.6	0.1	Nonlinearities, Bias	SDSS [58, 59], BOSS [82]	DES [84], BigBOSS [81], DESpec [85], LSST [92], Subaru PFS [97], HETDEX [35]
Lensing of Galaxies	0.6	0.07	Baryons, NL, Photometric redshifts	CFHT-LS [23], COSMOS [50]	DES [84], Hyper SuprimeCam, LSST [92], Euclid [88], WFIRST[100]
Lyman α	0.2	0.1	Bias, Metals, QSO continuum	SDSS, BOSS, Keck	BigBOSS[81], TMT[99], GMT[89]
21 cm	∞	0.1 – 0.006	Foregrounds, Astrophysical modeling	GBT [11], LOFAR [91], PAPER [53], GMRT [86]	MWA [93], SKA [95], FFTT [49]
Galaxy Clusters	0.3	0.1	Mass Function, Mass Calibration	SDSS, SPT, ACT, XMM [101] Chandra [83]	DES, eRosita [87], LSST

Example: CMASS (“Constant Mass”) galaxies from Baryon Acoustic Spectroscopic Survey (BOSS)



Example: CMASS galaxies from BOSS

- Pixelize the survey and, for each pixel, compute the over-density $\Delta = (n - n^{\text{exp}}) / n^{\text{exp}}$, where n^{exp} is the expected number of galaxies in the pixel

Example: CMASS galaxies from BOSS

- Pixelize the survey and, for each pixel, compute the over-density $\Delta = (n - n^{\text{exp}}) / n^{\text{exp}}$, where n^{exp} is the expected number of galaxies in the pixel
- Form a quadratic estimator

$$\hat{P}(k) = \sum_{ij} \Delta_i \Delta_j M_{ij}(k)$$

A simple guess might be $M_{ij}(k) = e^{i\vec{k} \cdot (\vec{x}_i - \vec{x}_j)}$
but there are many other options, many of which account for masks, edge effects more carefully and have better noise properties

Example: CMASS galaxies from BOSS

Data: Power spectrum from a galaxy survey

Covariance Matrix:
 $C[P(k), P(k')]$

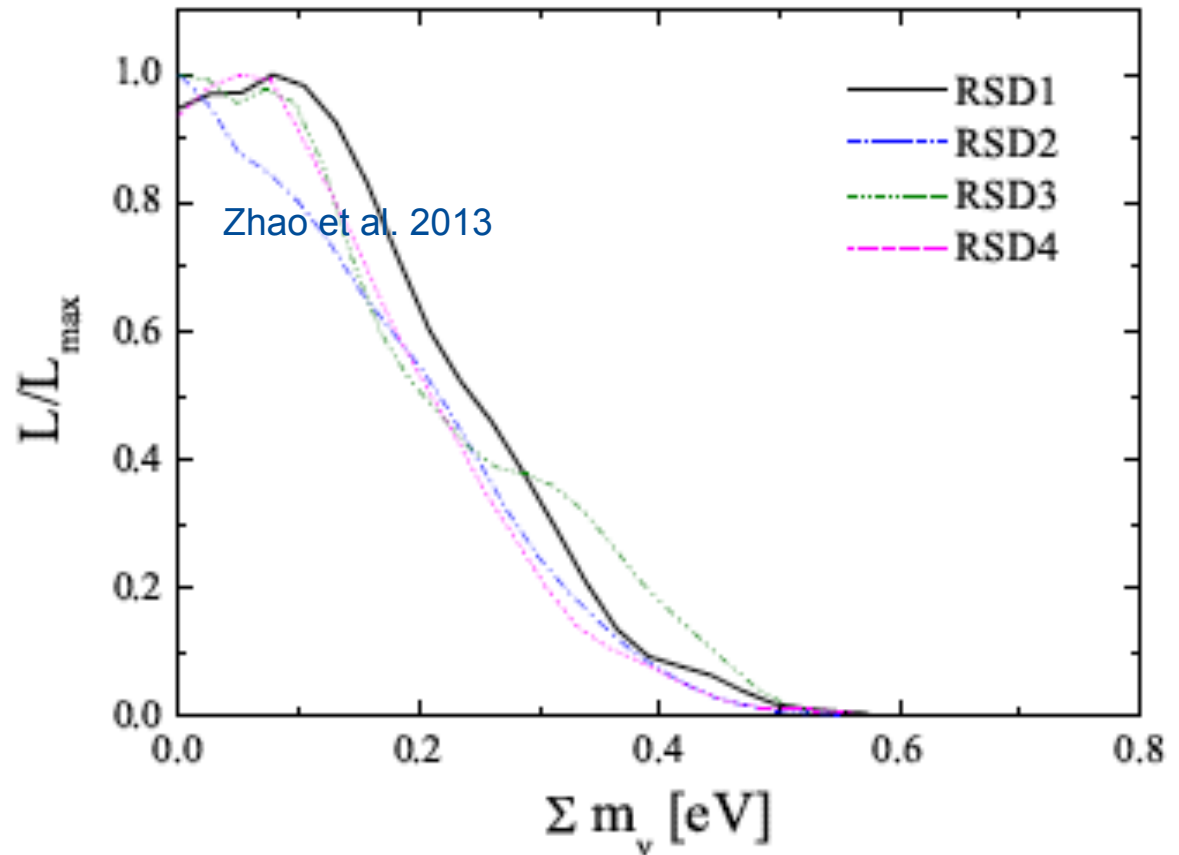
Theory: Prediction for $P(k)$ as a function of cosmological and nuisance parameters

Likelihood:
Typically sampled at millions of points in the ~ 10 -dimensional parameter space

Final Constraints insensitive to theory systematics

This analysis (and recent Planck + other experiments) get

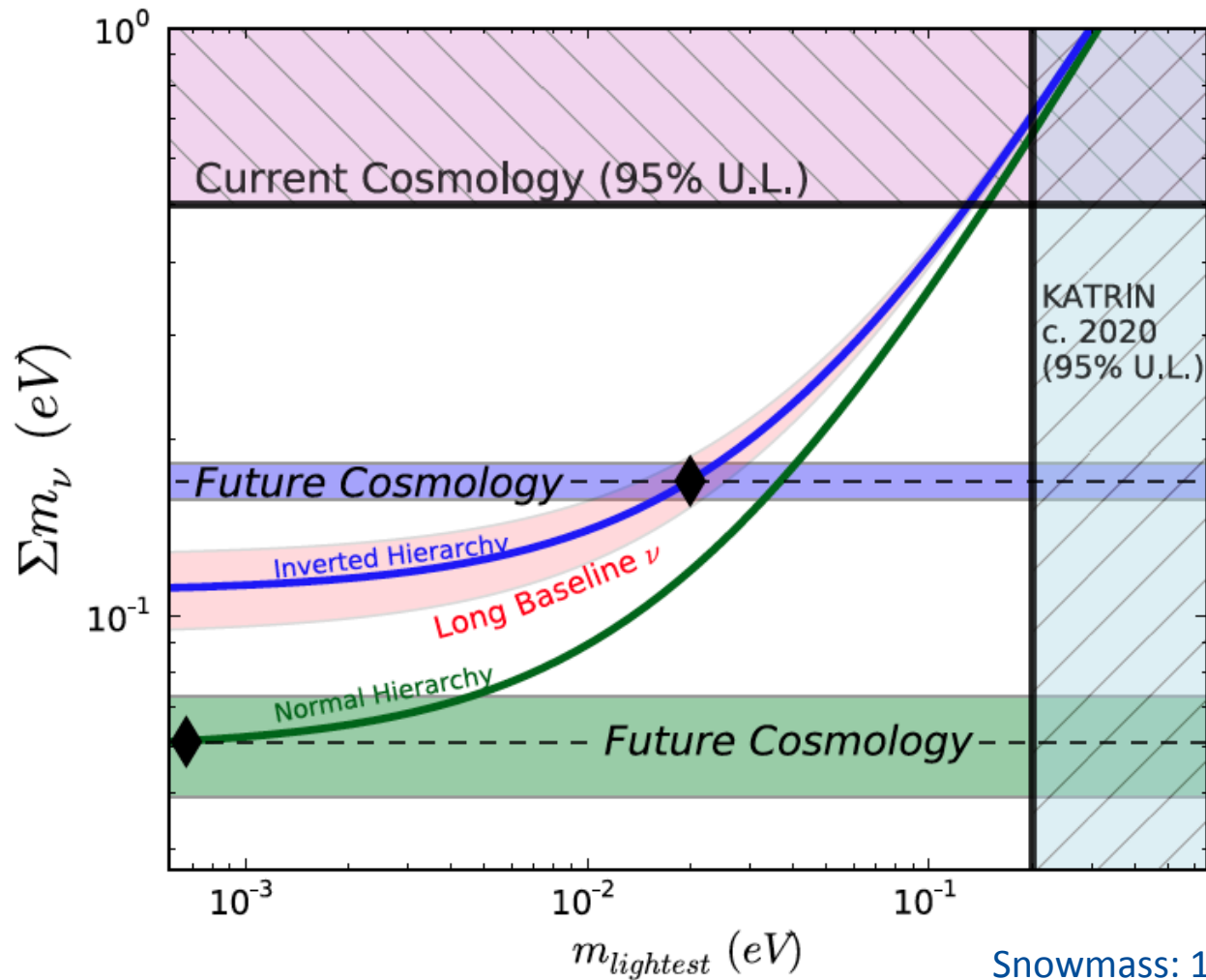
$$\sum m_\nu < 0.2 \text{ eV}$$



Probes of Structure

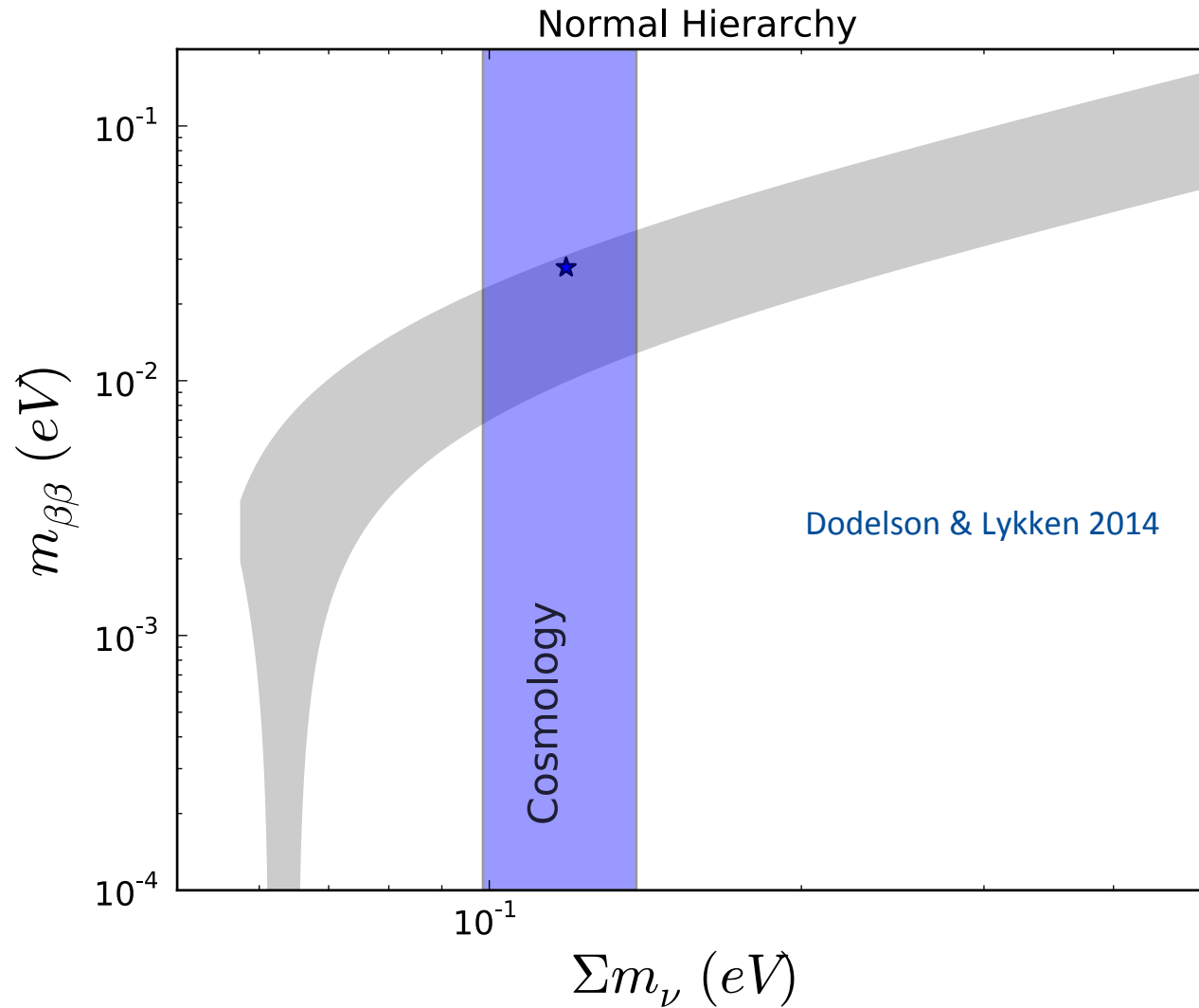
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CMB Primordial + Distance	0.58	0.35	Distance measurements	WMAP, Planck	None
Lensing of CMB	∞	0.2 – 0.05 0.016	NG of Secondary anisotropies	Planck, ACT [39], SPT [96]	PREM [57], ACTPOL [58], CMB S4 (+DESI BAO)
Galaxy Distribution	0.6	0.1 0.017	Nonlinearities, Bias	SDSS [58, 59], BOSS [82]	DES [84], BigBOSS [81], DESI (+Planck) DEX [35]
Lensing of Galaxies	0.6	0.07 0.023	Baryons, NL, Photometric redshifts	CFHT-LS [23], COSMOS [50]	DES [84], Hubble LSST (+Planck) WFIRST[100]
Lyman α	0.2	0.1	Bias, Metals, QSO continuum	SDSS, BOSS, Keck	BigBOSS[81], TMT[99], GMT[89]
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Galaxy Clusters	0.3	0.1	Mass Function, Mass Calibration	SDSS, SPT, ACT, XMM [101] Chandra [83]	DES, eRosita [87], LSST

Surveys over the next decade will measure neutrino masses

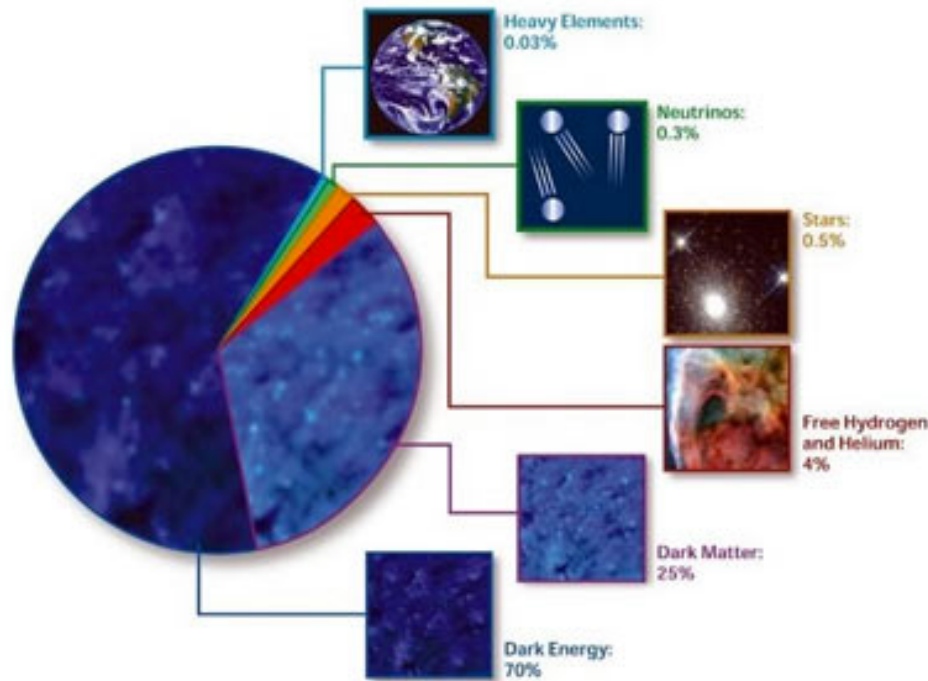


Snowmass: 1309.5383

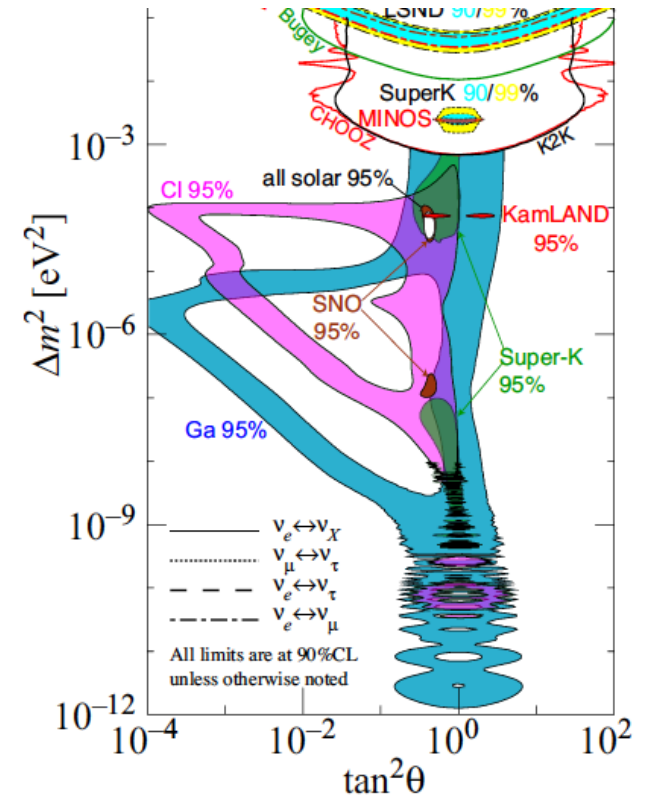
Complementarity with neutrinoless double beta decay



Conclusion

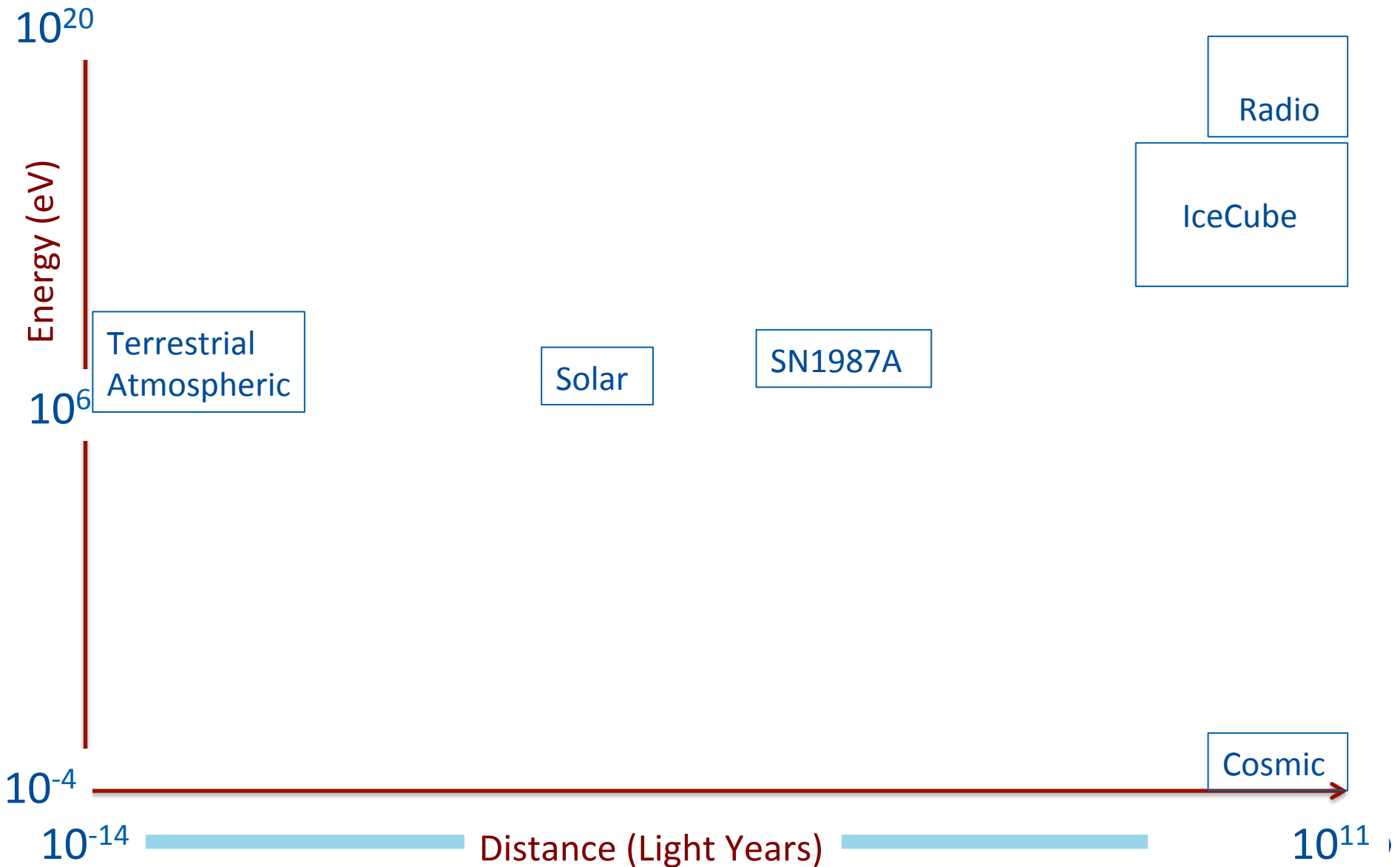


Neutrinos raise doubts about this iconic “set-in-stone” chart



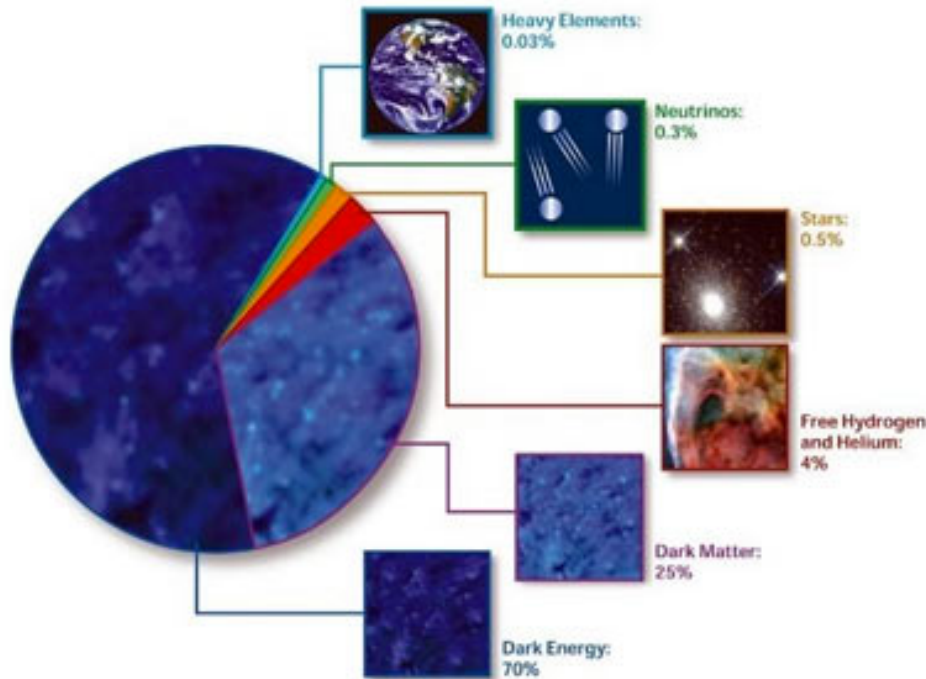
Simple 3-Neutrino Paradigm explains everything, but every time we think we’ve understood neutrinos, we’ve been wrong

Exciting “Large Area” Program to test 3-Neutrino Paradigm



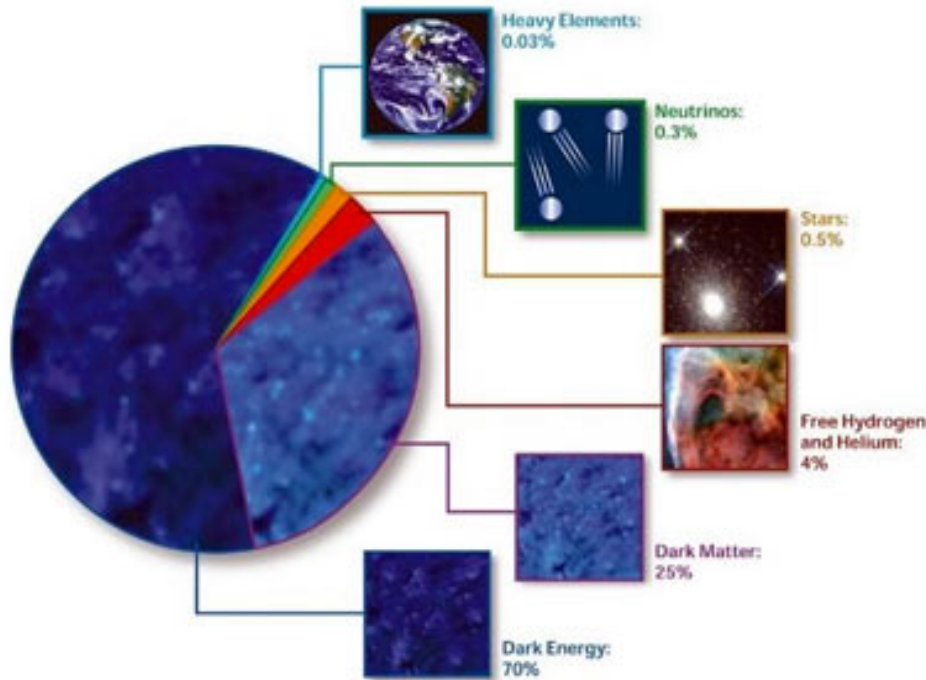
Conclusion

- At the simplest level, keV sterile neutrinos could be the Dark Matter



Neutrinos raise doubts about this iconic “set-in-stone” chart

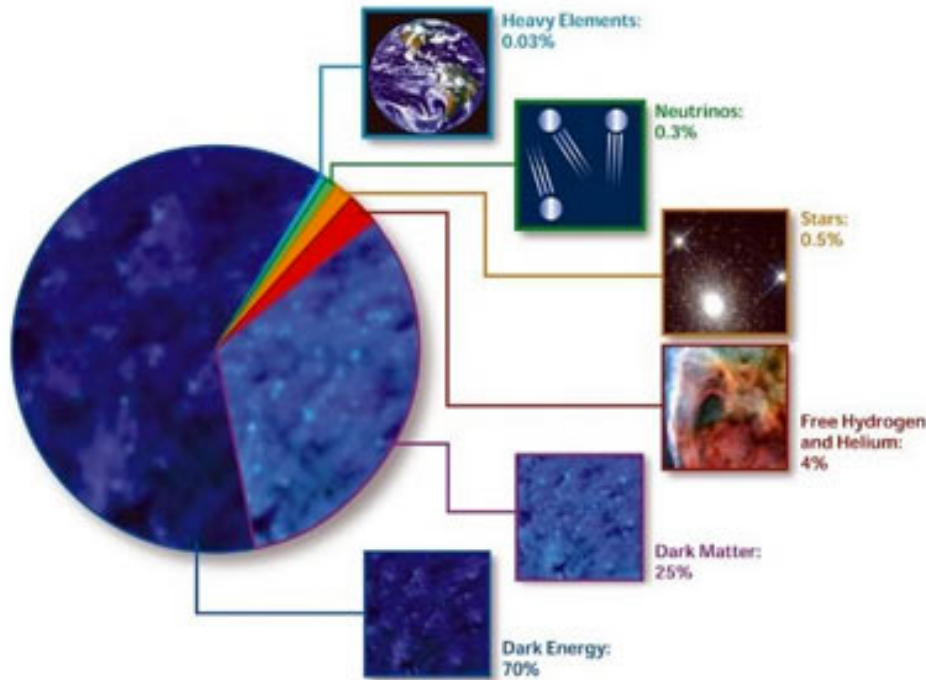
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- At the simplest level, keV sterile neutrinos could be the Dark Matter
- More importantly, we have learned from neutrinos that when we think we know everything, we don't

Neutrinos raise doubts about this iconic “set-in-stone” chart

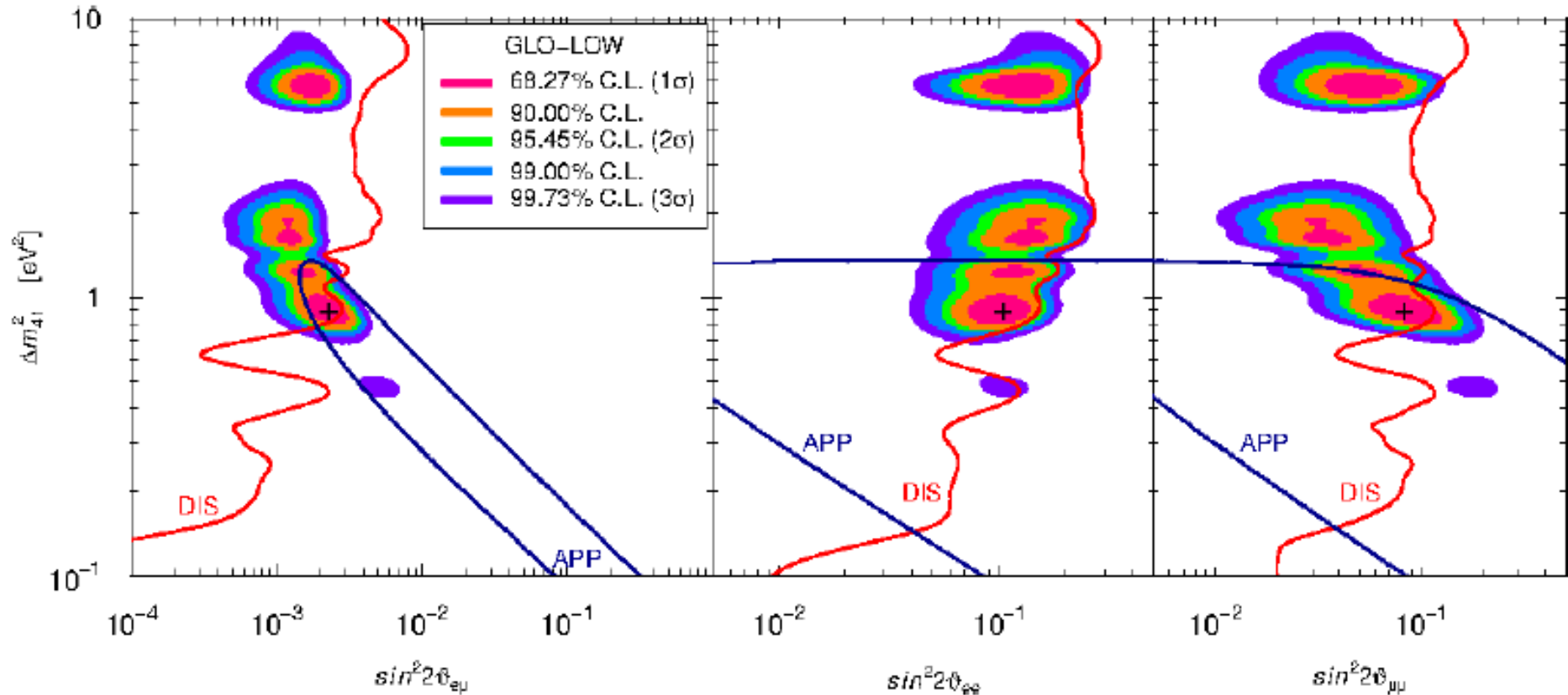
Conclusion



Neutrinos raise doubts about this iconic “set-in-stone” chart

- At the simplest level, keV sterile neutrinos could be the Dark Matter
- More importantly, we have learned from neutrinos that when we think we know everything, we don't
- We think we have a simple cosmological model that fits everything. Maybe we don't ... and a neutrino discovery will lead the way to a better understanding of the evolution of the universe

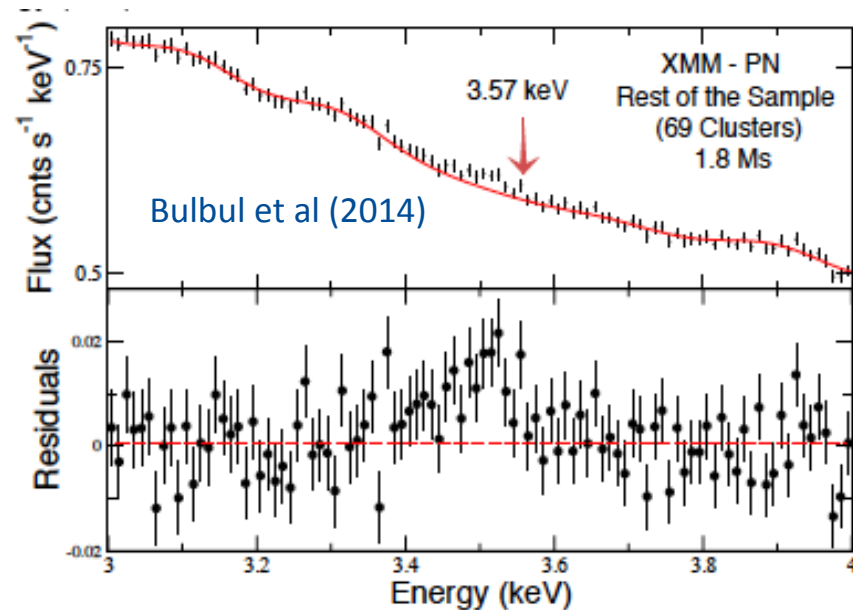
Giunti and Laveder 2012



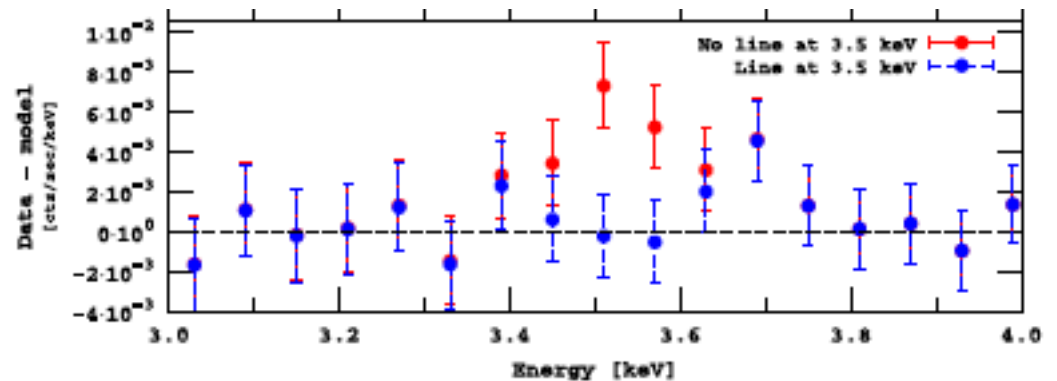
$$\sin^2 2\theta_{ee} = 4|U_{e4}|^2 (1 - |U_{e4}|^2)$$

Recent hints for X-ray excess

Stacked signal from
many galaxy clusters

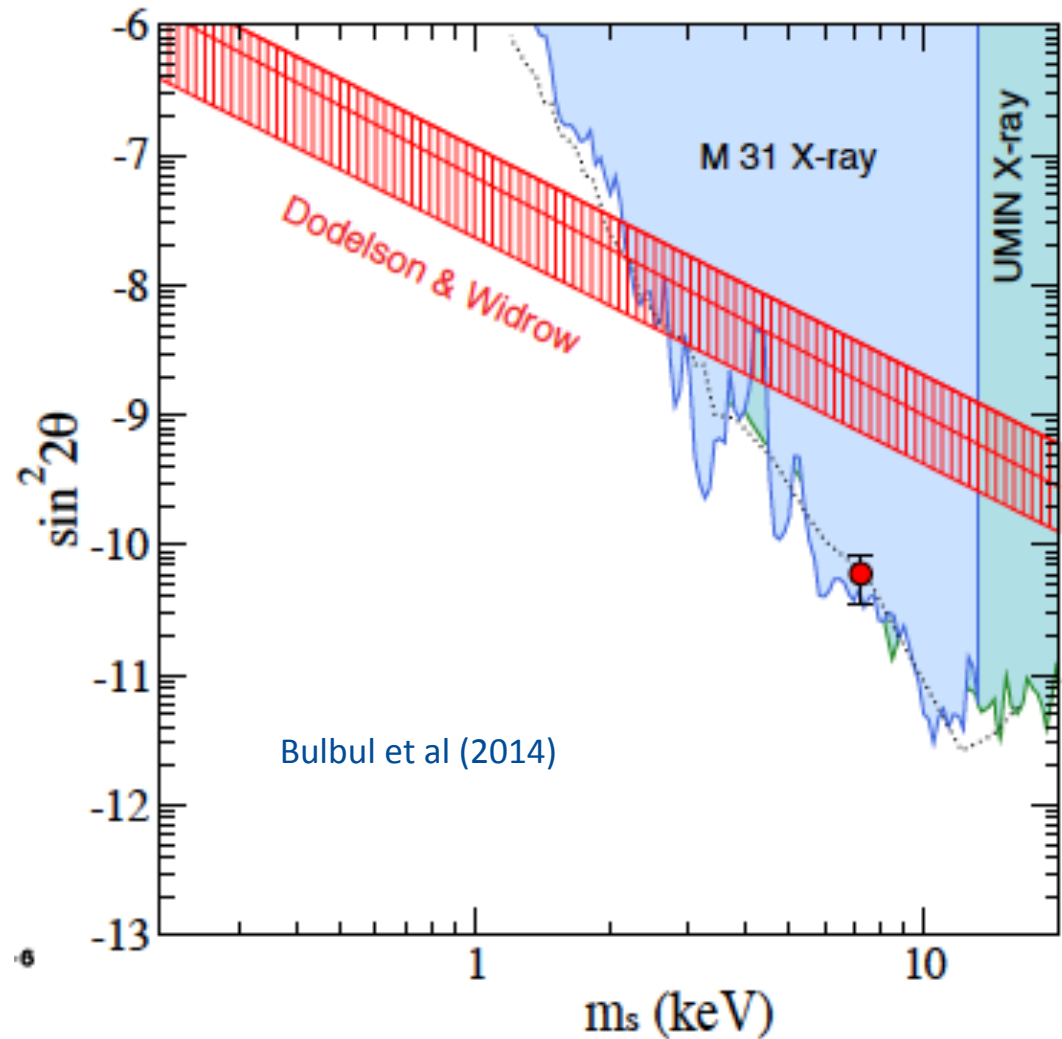


And from Andromeda



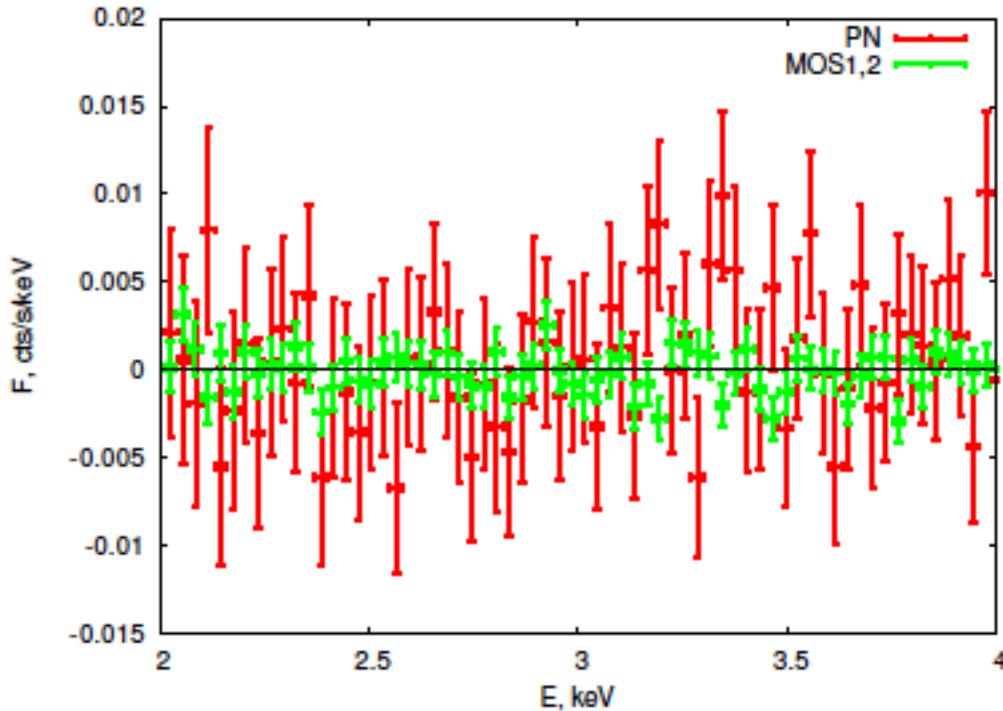
Recent hints for X-ray excess

If interpreted as sterile neutrino decay, mixing angle is too small for them to be produced enough in the early universe in the standard scenario, but alternatives abound: resonances, etc.



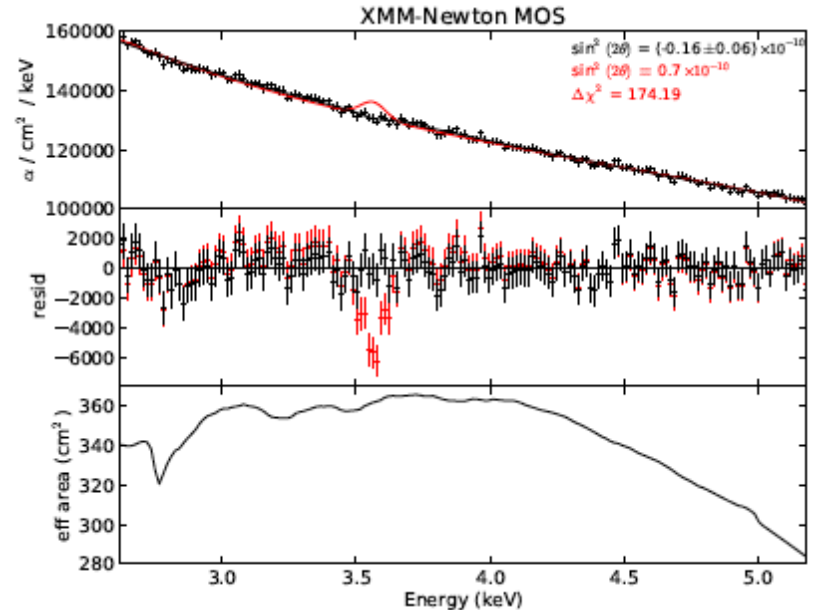
More importantly, no signal seen in other areas

Stacked Dwarf Spheroidals



Malyshev et al (2014)

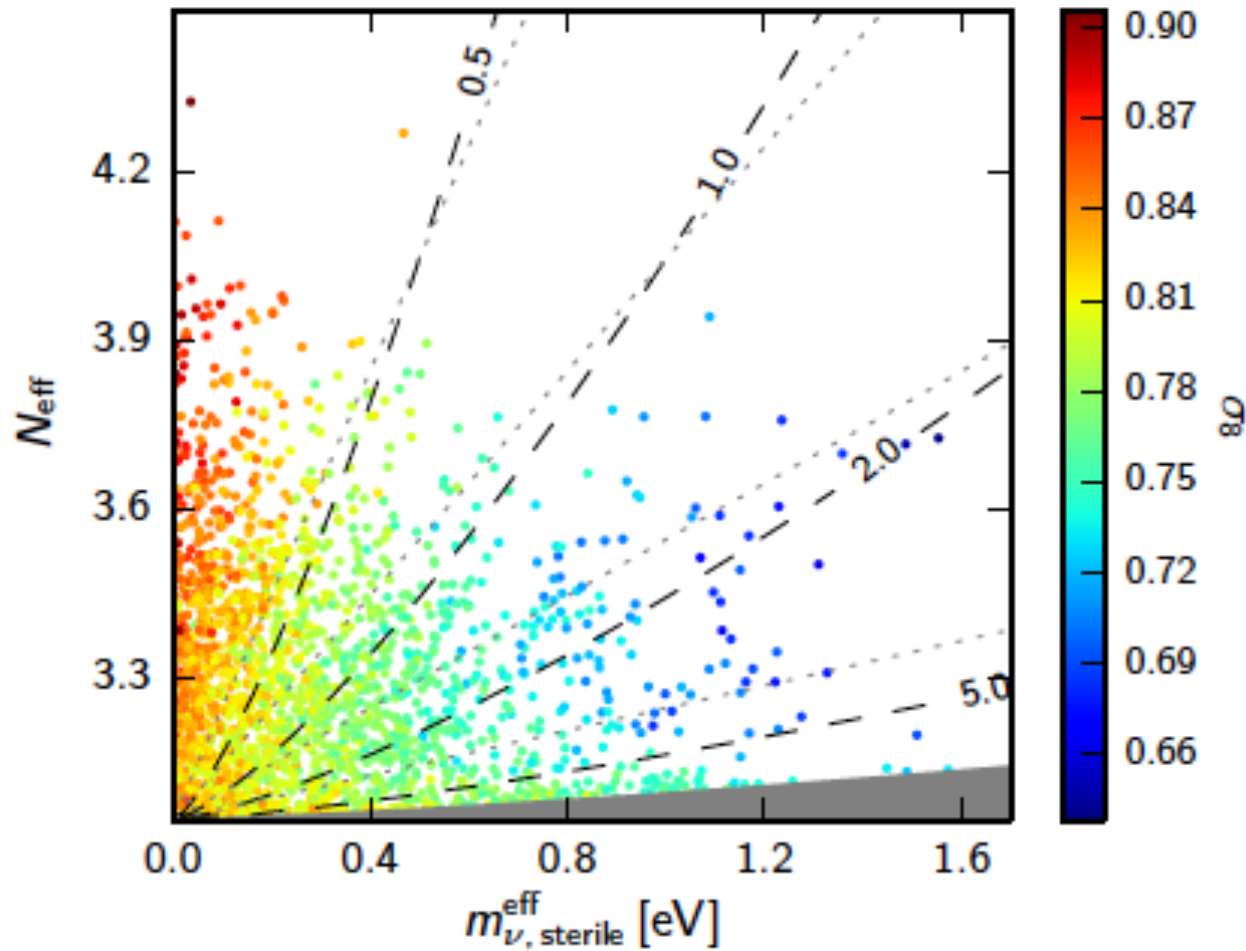
Stacked Galaxies



Anderson et al (2014)

7-keV vs. $r=0.1$ vs. Galactic Center DM?

Planck constraints on sterile massive neutrinos



Covariance Matrix and Window Function

- Estimate covariance matrix by running 600 mocks

$$C(k, k') = \frac{1}{N_{sim}} \sum_{all\ sims\ i} \left(P_i(k) - \bar{P}(k) \right) \left(P_i(k') - \bar{P}(k') \right)$$

Covariance Matrix and Window Function

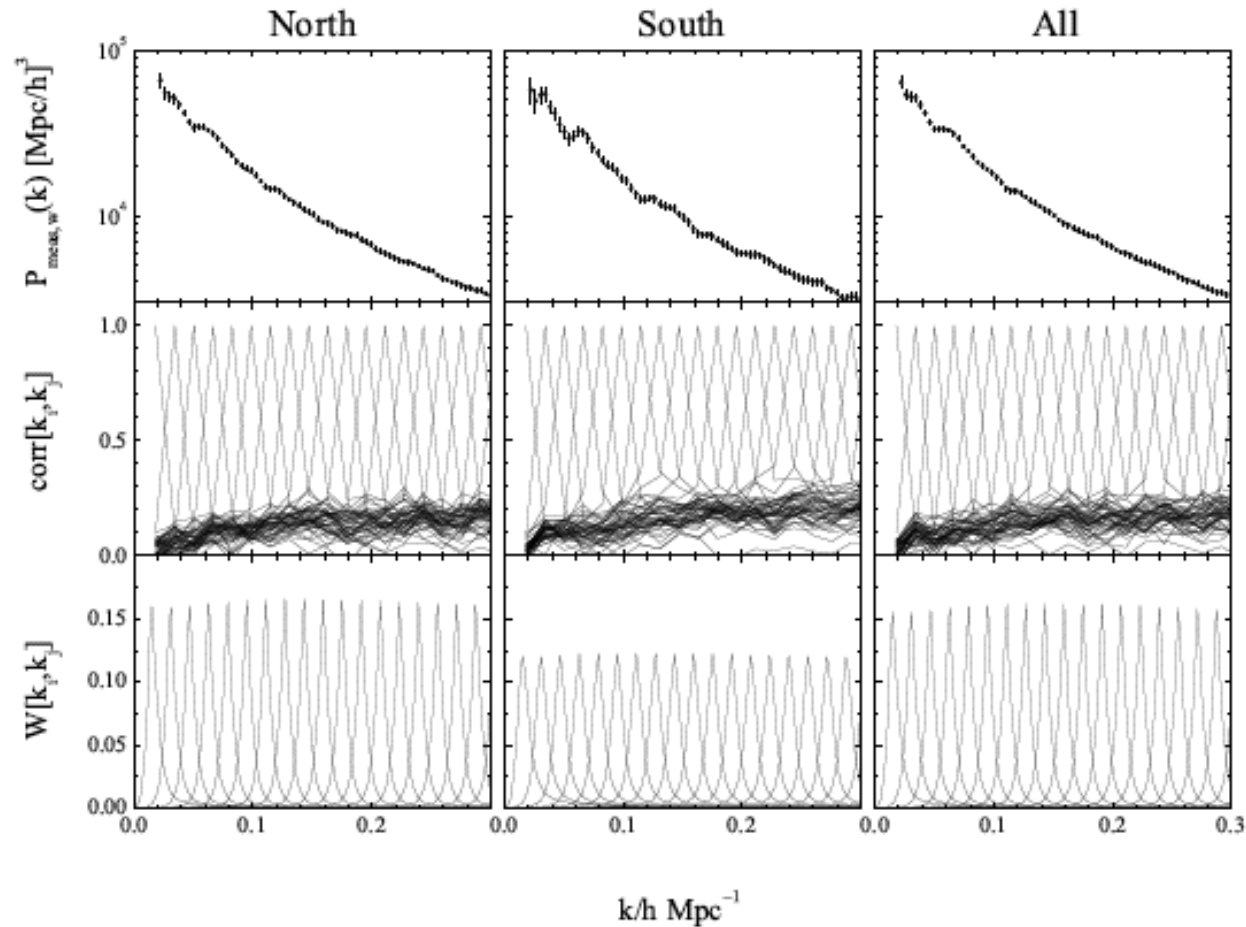
- Estimate covariance matrix by running 600 mocks

$$C(k, k') = \frac{1}{N_{sim}} \sum_{all\ simsi} (P_i(k) - \bar{P}(k)) (P_i(k') - \bar{P}(k'))$$

- The power spectrum estimate is sensitive to a range of $P(k)$; W follows from M

$$\langle \hat{P}(k) \rangle = \int dk' W(k, k') P(k')$$

Power Spectrum, Covariance Matrix, & Window Function



Zhao et al 2013