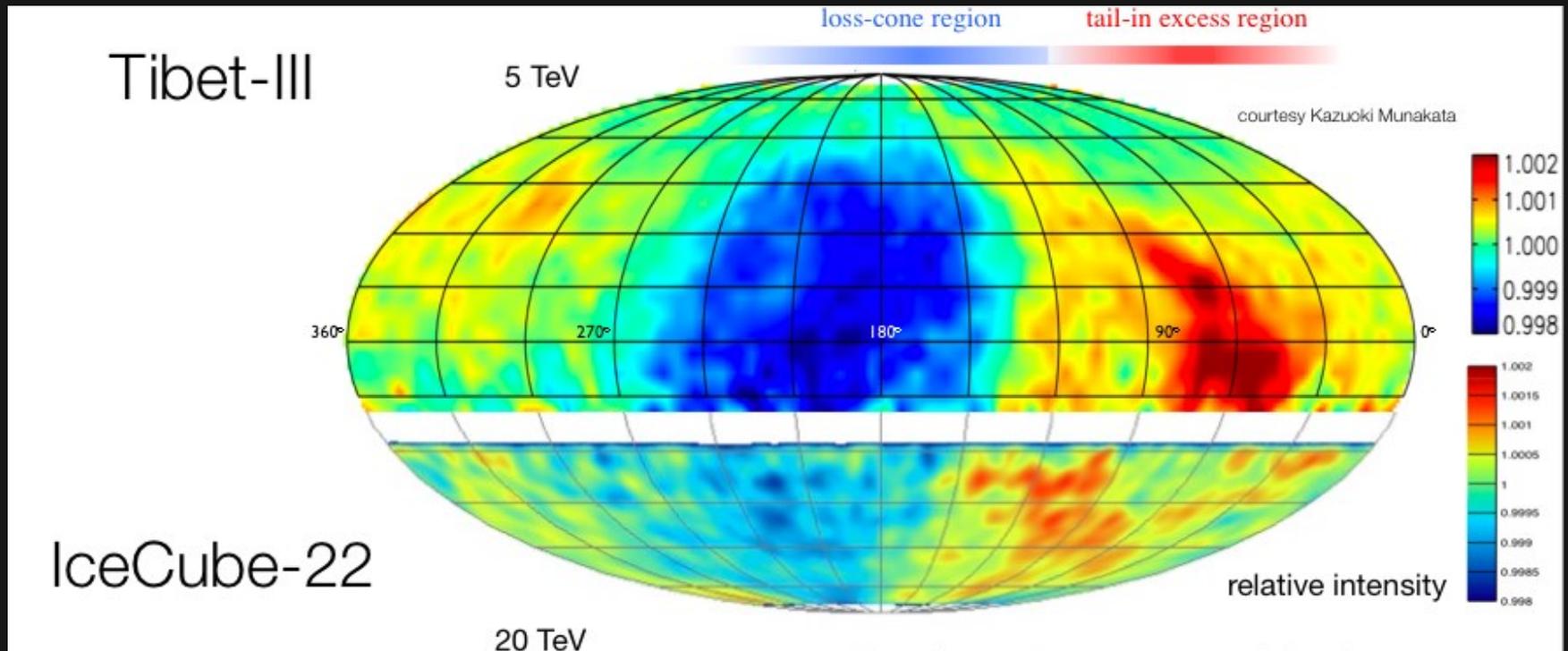




Understanding the anisotropy of cosmic rays at TeV and PeV energies

Martin Pohl & Robert Rettig

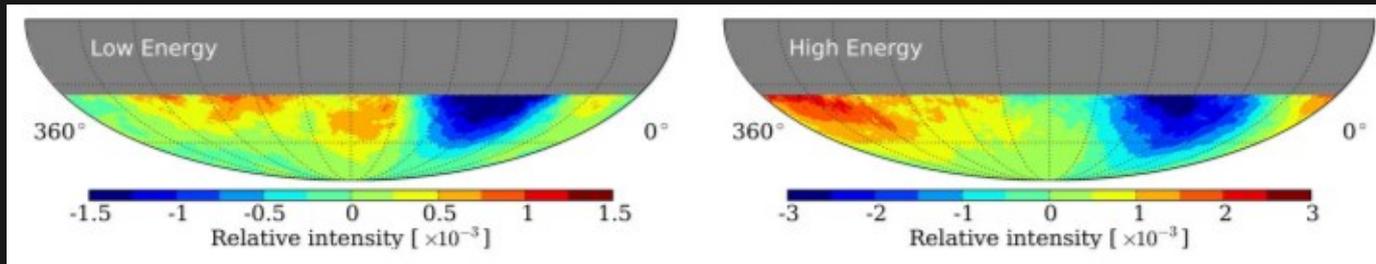
Anisotropy



Not a simple dipole

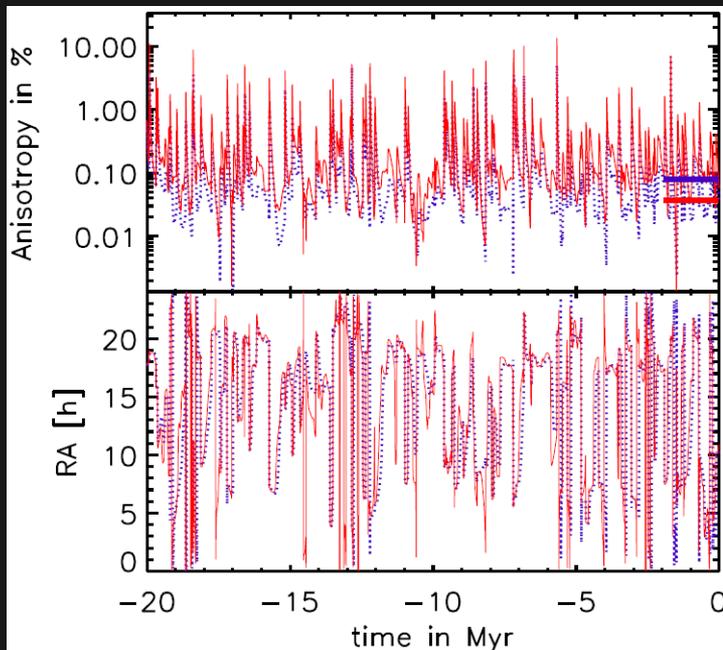


Anisotropy



0.4-2 PeV

(IceTop)



Significant energy dependence
in amplitude and direction

Not unexpected for dipole component
as result of source statistics

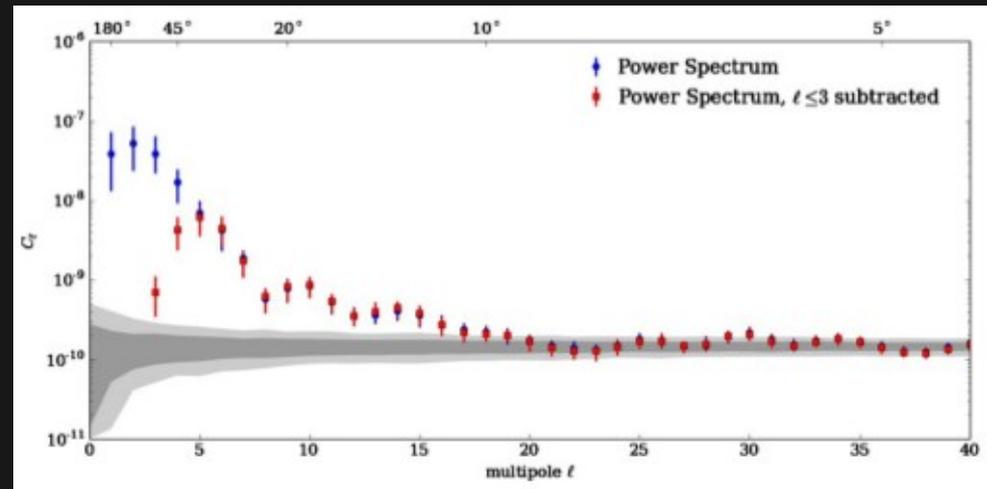
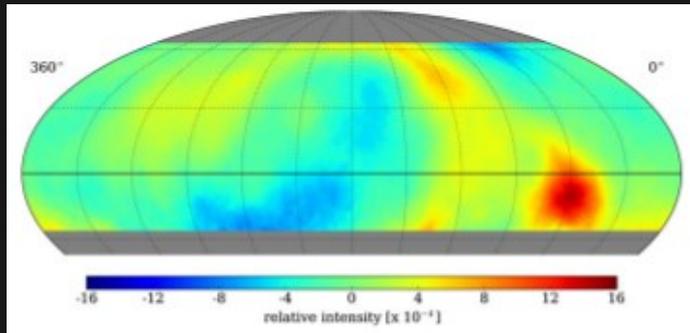
(Pohl & Eichler)



Anisotropy



(HAWC) 1.7—4 TeV



Small-scale anisotropy as result of CR transport in turbulent magnetic field?

Reproduced in backtracing simulations (Giacinti & Sigl)



Predicted as result of forward evolution on account of Liouville's theorem (Ahlers)



Simulations



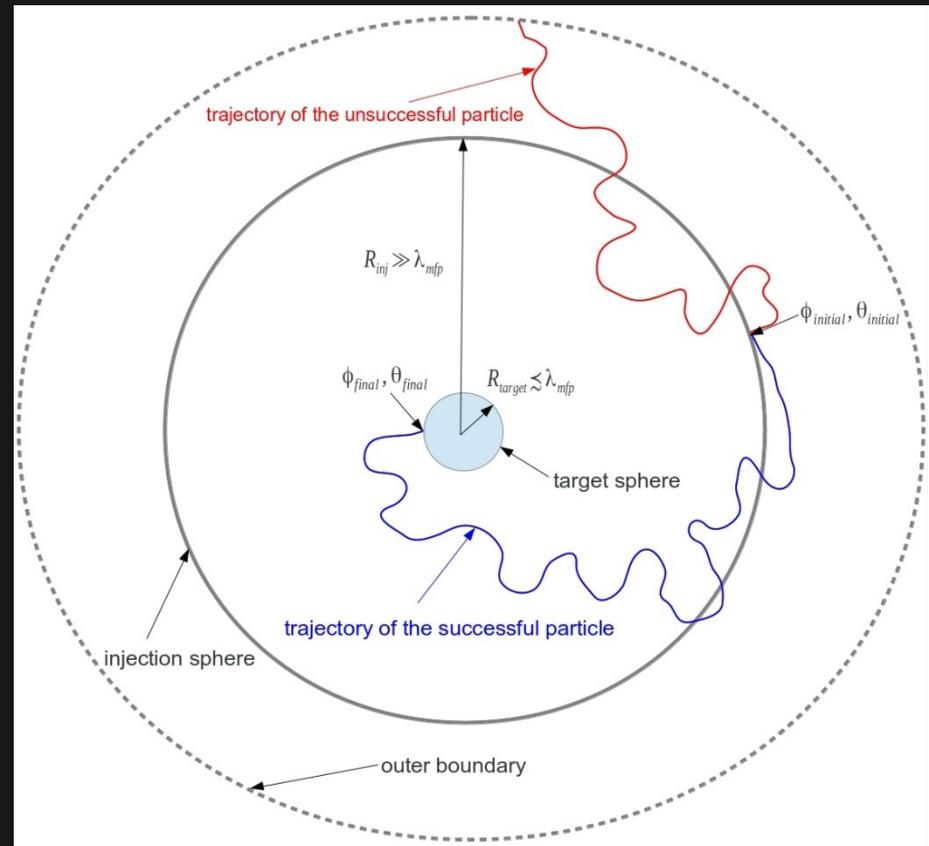
→ Forward simulations

Include escape → Liouville's theorem may be not applicable

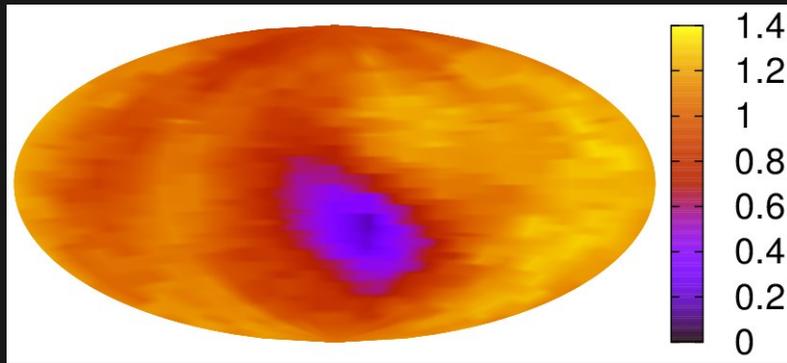
- New integration algorithm for equation of motion
- Standard magnetostatic turbulence generator (Giacalone & Jokipii)
- Alternatively, dynamical turbulence with fixed v_ϕ
- HealPix representation of results

Simulations

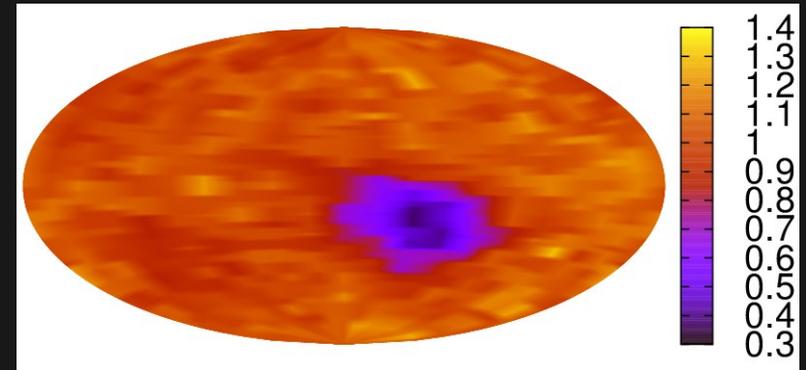
1. Launch particles on sphere
initially isotropic
2. Define field realization,
important: r_L / λ_{\max}
3. Determine λ_{mfp}
4. Escape at outer boundary
5. Count particle at target sphere



Results for $\delta E=0$



Statistical uncertainty 3.2% and 5.8%

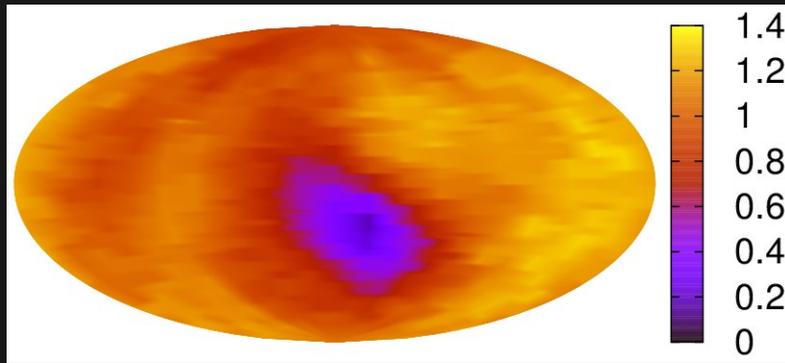


Target sphere with radius halved

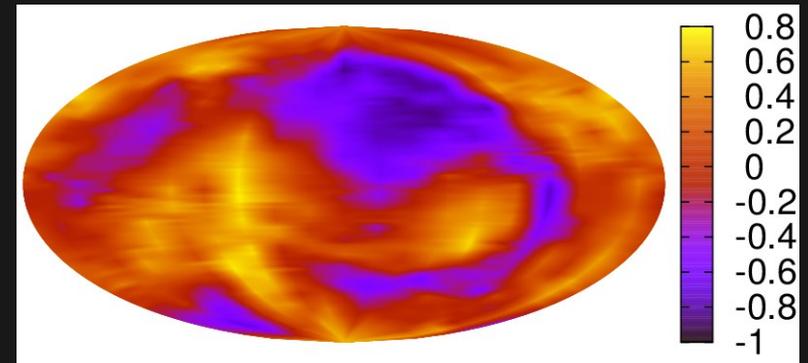
1 PeV energy, $\lambda_{\max} = 10$ pc, $\lambda_{\text{mfp}} = 0.94$ pc, $r_L = 0.35$ pc

- Significant anisotropy on many scales
- Anisotropy pattern reasonably stable (also for larger target sphere)
- Correlation with MF?

Results for $\delta E=0$



Anisotropy



$\langle \cos \theta \rangle$ of magnetic field

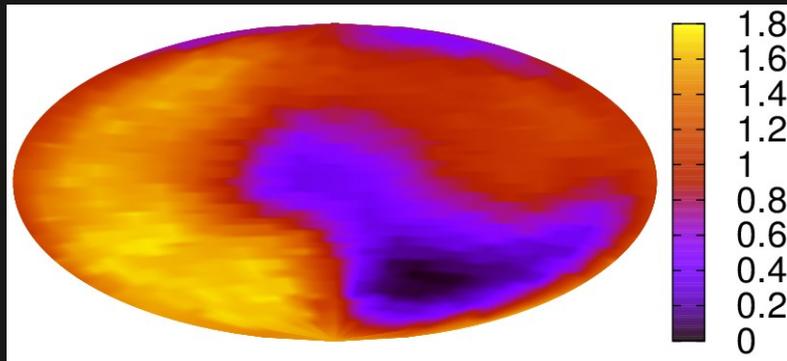
$\langle \cos \theta \rangle = \pm 1$ indicates homogeneous field along line of sight

Average over 1-10 target radii

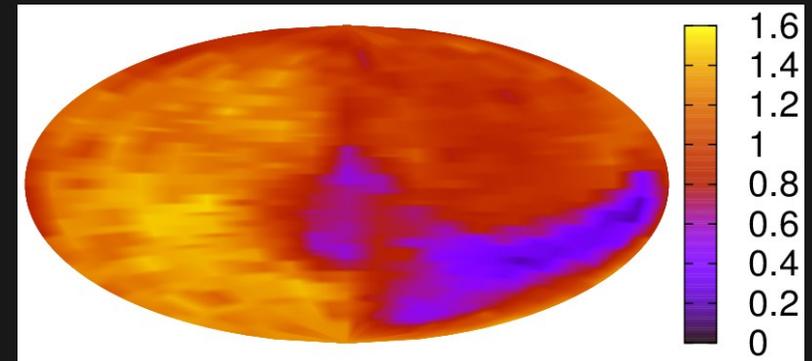
→ no correlation with anisotropy pattern

→ Is there really a correlation with local interstellar field?

Results for $\delta E=0$



Statistical uncertainty 3.0% and 5.3%

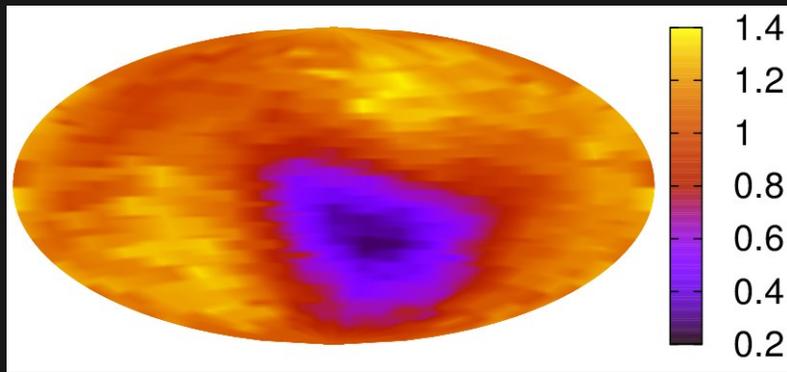


Target sphere with radius halved

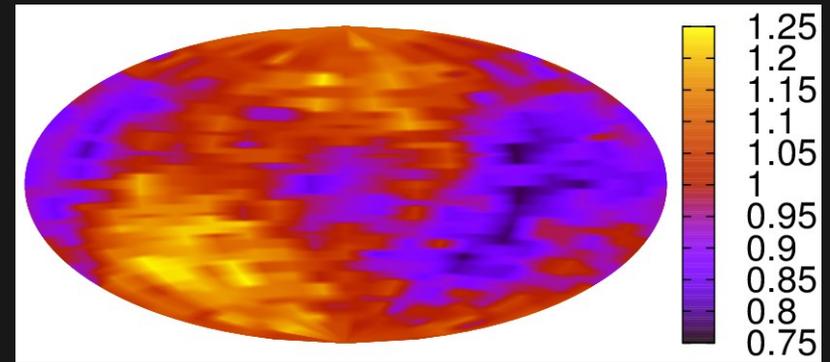
1 PeV energy, $\lambda_{\max} = 100$ pc, $\lambda_{\text{mfp}} = 1.85$ pc, $r_L = 0.3$ pc

- **Significant anisotropy**
- **Anisotropy pattern changes little on small scales**
- **Weak, if any, correlation with local magnetic field**

Results for finite δE



Statistical uncertainty 4.6% and 4.7%



$v_\phi = 100 \text{ km/s} \rightarrow v_\phi = 1000 \text{ km/s}$

1 PeV energy, $\lambda_{\text{max}} = 10 \text{ pc}$, $\lambda_{\text{mfp}} = 0.94 \text{ pc}$, $r_L = 0.35 \text{ pc}$

- Significant distortion of anisotropy by dynamics of turbulence
- Local MF environment changes on timescales $300 \lambda_{\text{wave}} / c$
- Everything should average out, unless $\lambda_{\text{wave}} > 5 \lambda_{\text{mfp}}$ is decisive range



Conclusion

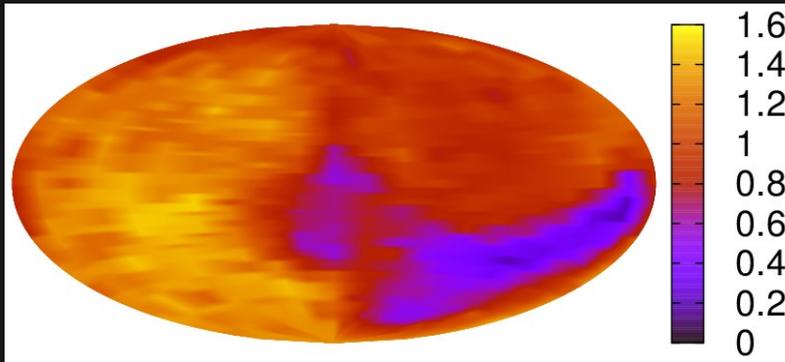


Forward simulation of cosmic-ray trajectories

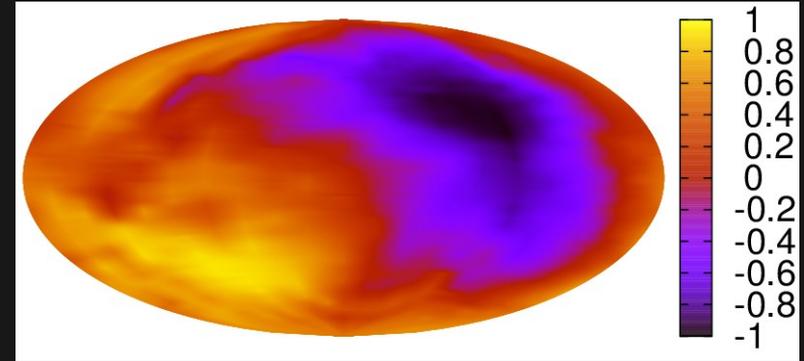
- Anisotropy is created *ex nihilo*, no initial dipole is needed
- Complicated patterns that do not strongly depend on $\lambda_{\text{mfp}} / \lambda_{\text{max}}$
- Little, if any, correlation with magnetic field orientation
- Little wash-out with dynamical turbulence,
magnetic-field structure on largest scales is decisive



Results for $\delta E=0$



Anisotropy



$\langle \cos \theta \rangle$ of magnetic field

For large λ_{\max}