

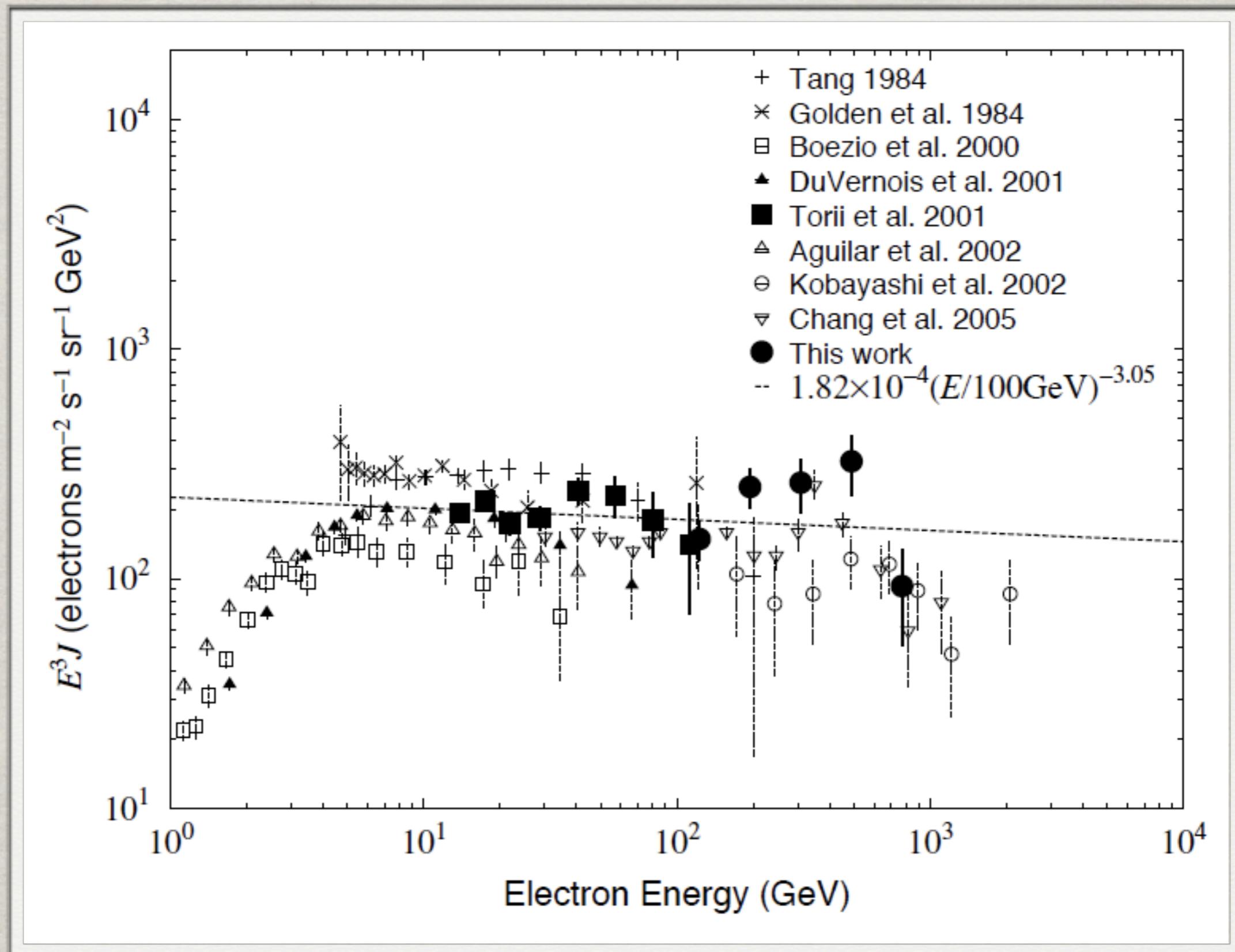
# From AMS to Zwicky: Positrons and Dark Matter

Kistler

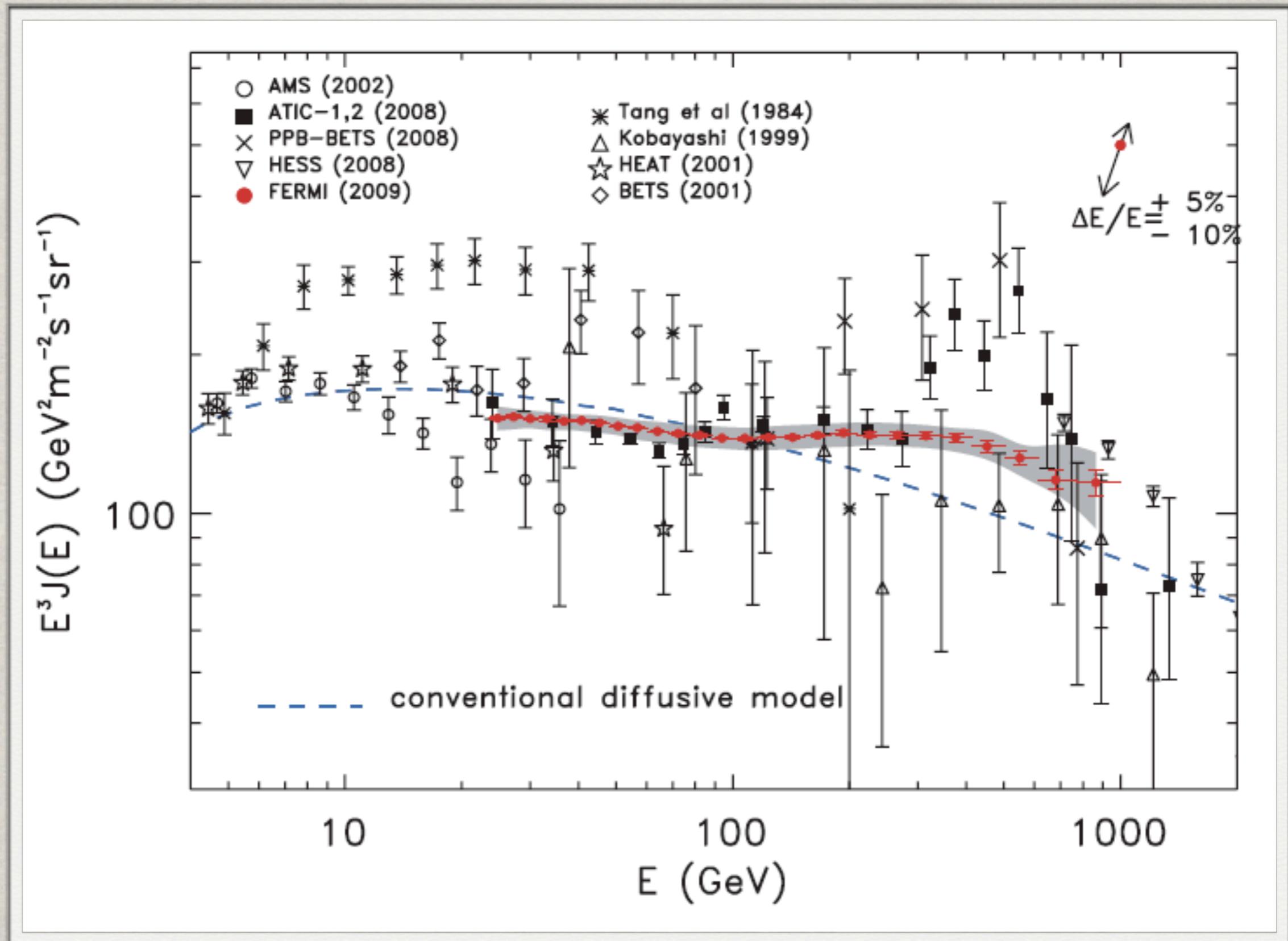
LBNL / UC Berkeley

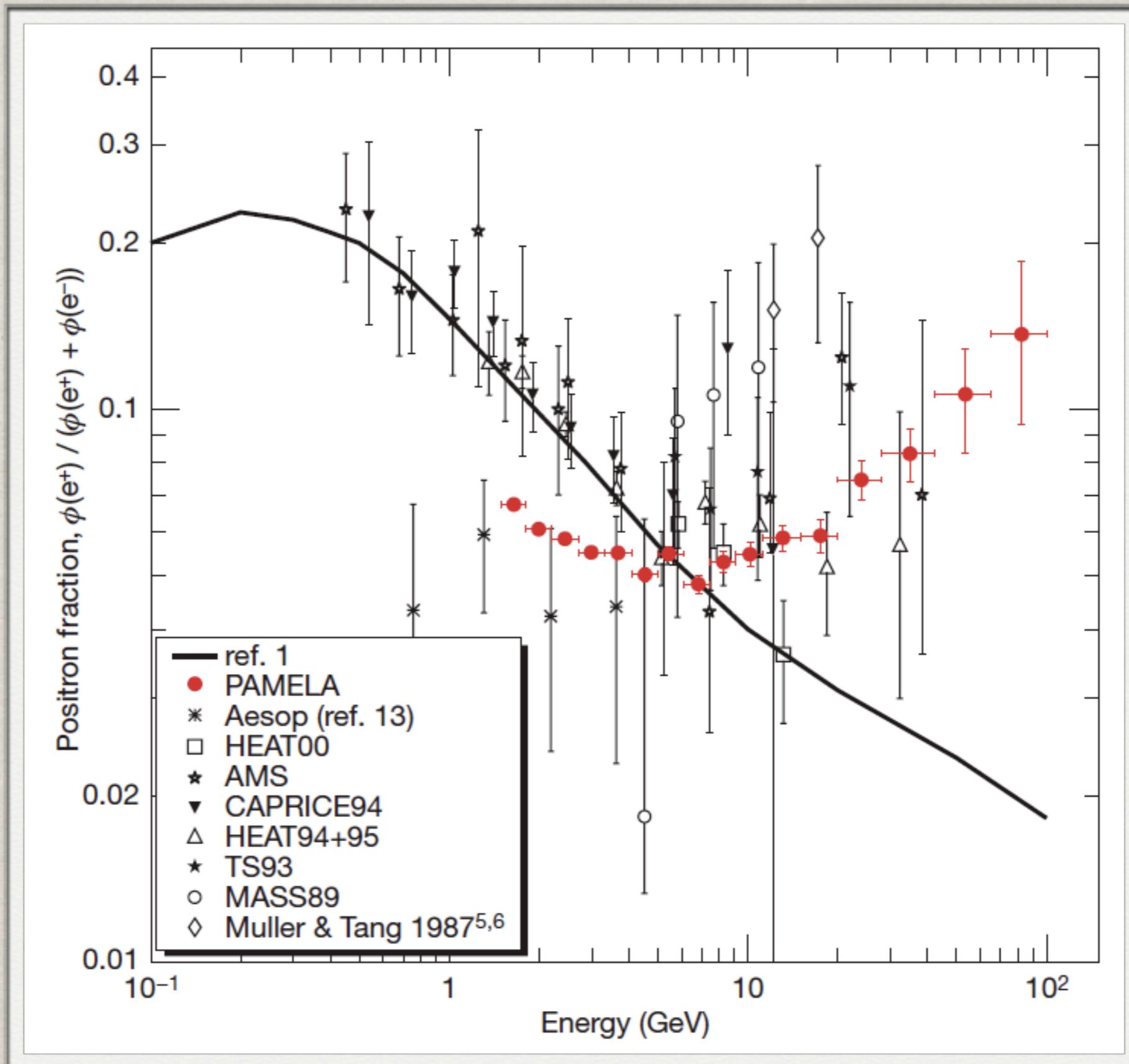


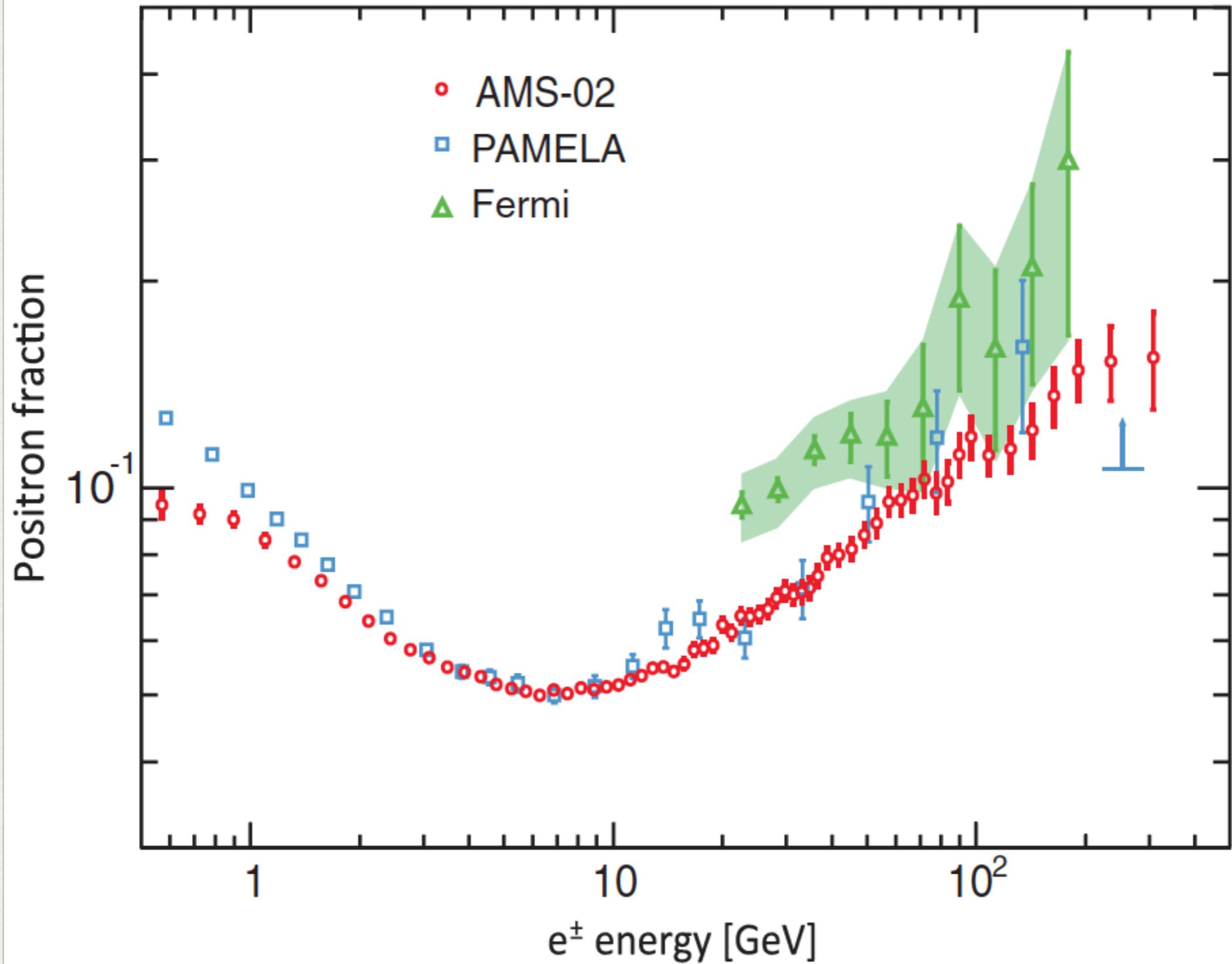
# Cosmic-ray Electrons



# Cosmic-ray Electrons





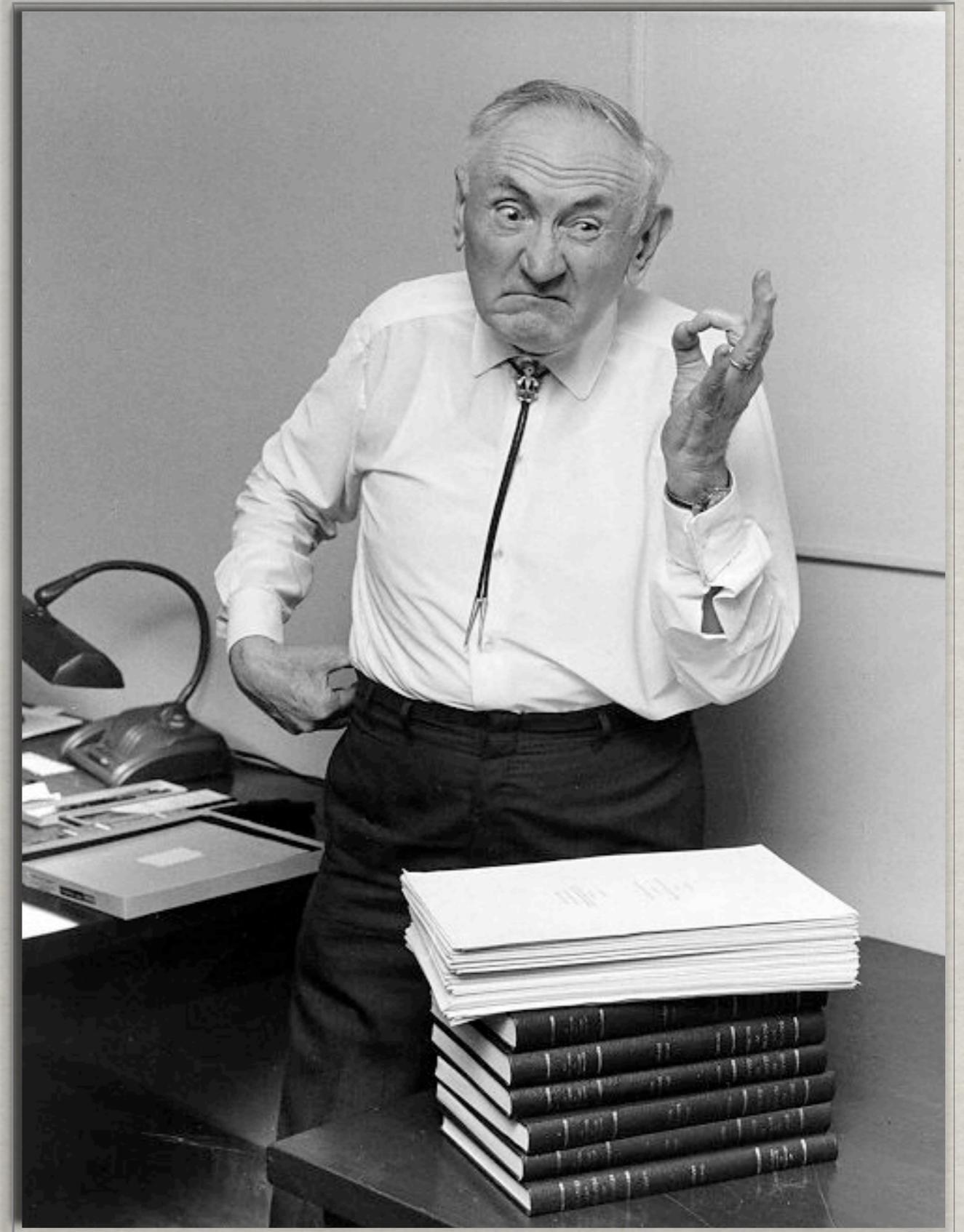


# Zwicky

Discovery of  
dark matter

Neutron stars result  
from supernovae

What is the  
cosmic ray  
output?



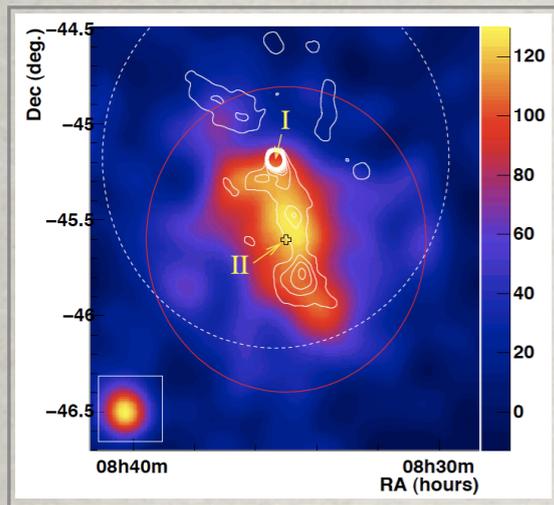
# Electron/positron factories

## Vela X

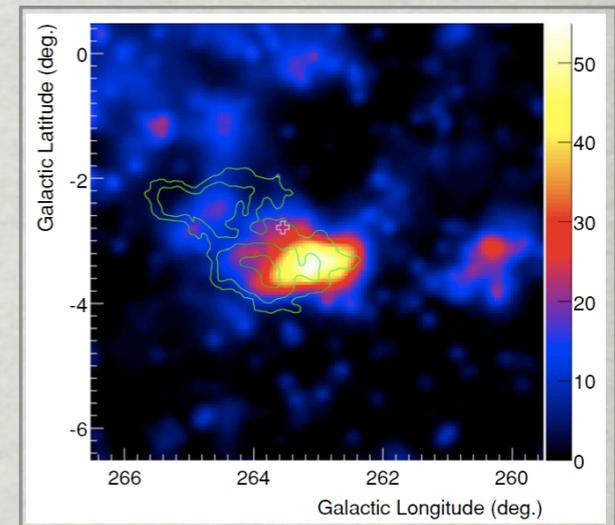
Two distinct populations

$>10^{46}$  erg in TeV  
electrons seen,  
cutoff at  $\sim 70$  TeV

$\sim 4 \times 10^{48}$  erg in GeV  
electrons/positrons,  
cutoff at  $\sim 100$  GeV



HESS (2006)

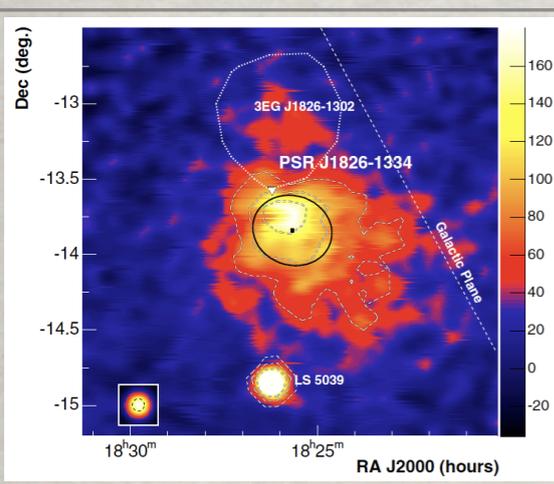


Fermi (2010)

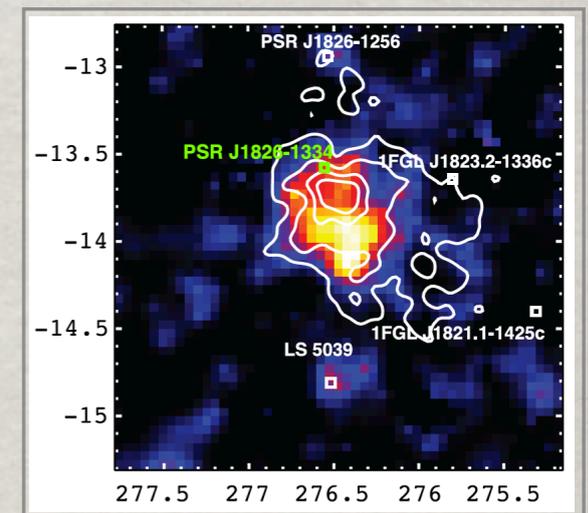
## HESS J1825-137

Inferred to  
travel  $>100$  pc

$\sim 5 \times 10^{49}$  erg in  
electrons/positrons,  
cutoff at  $\sim 60$  TeV

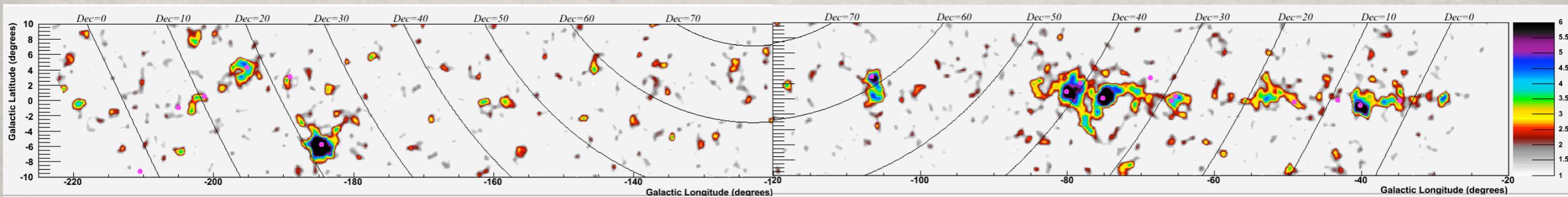


HESS (2006)



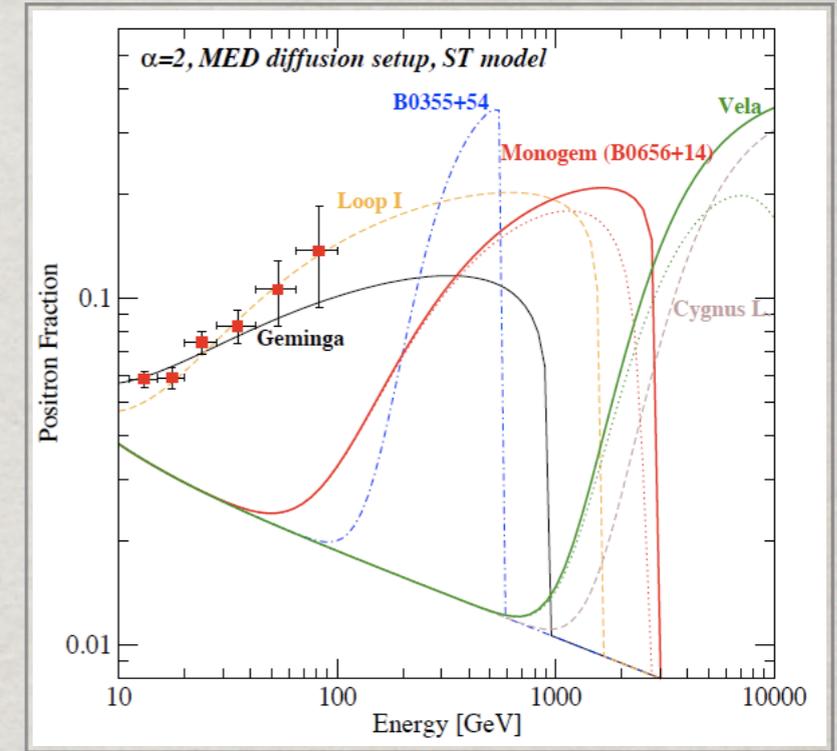
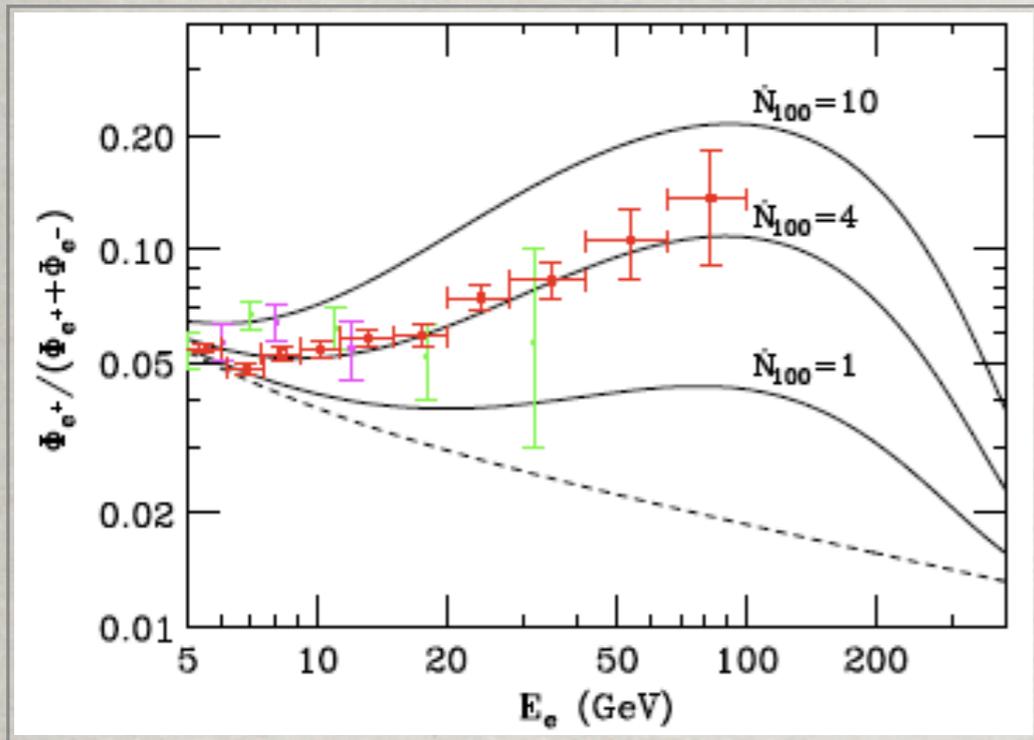
Fermi (2011)

## Milagro



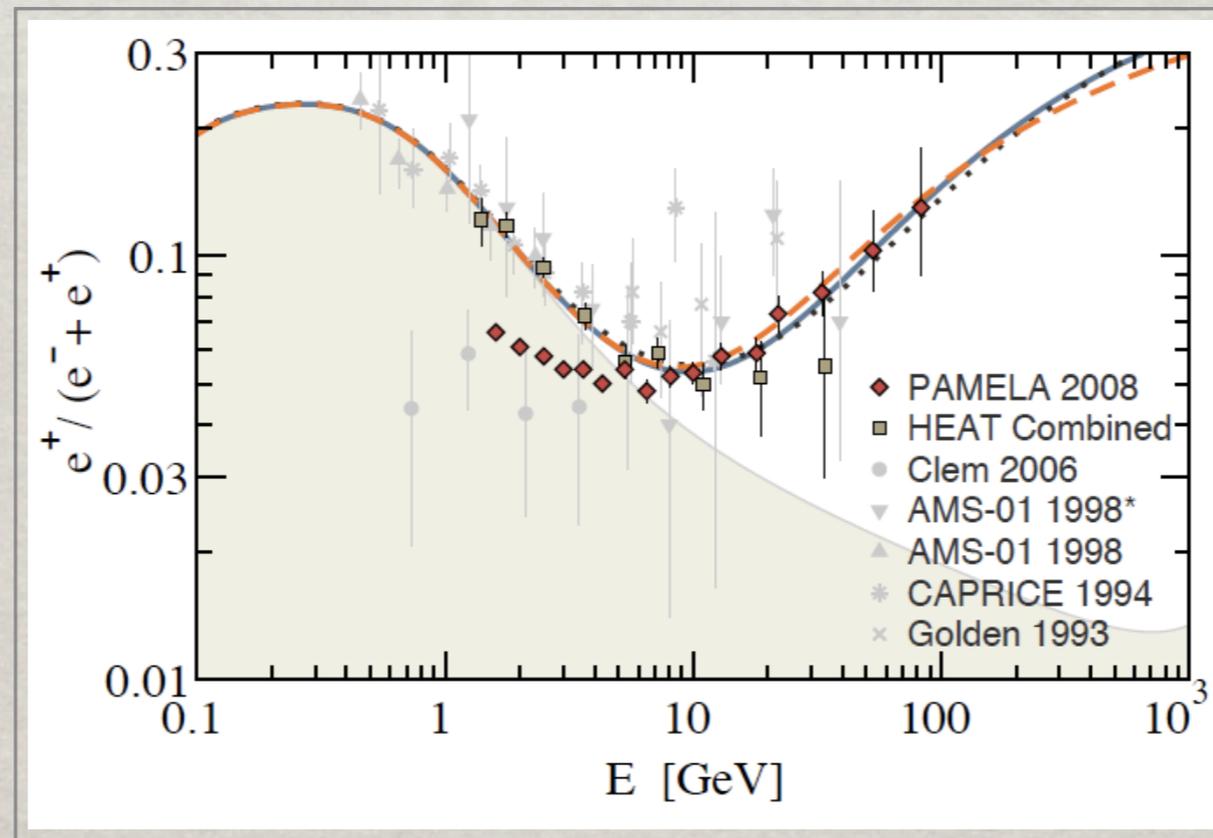
10 out of 17 multi-TeV associations with Fermi GeV pulsars

# Positrons from pulsars



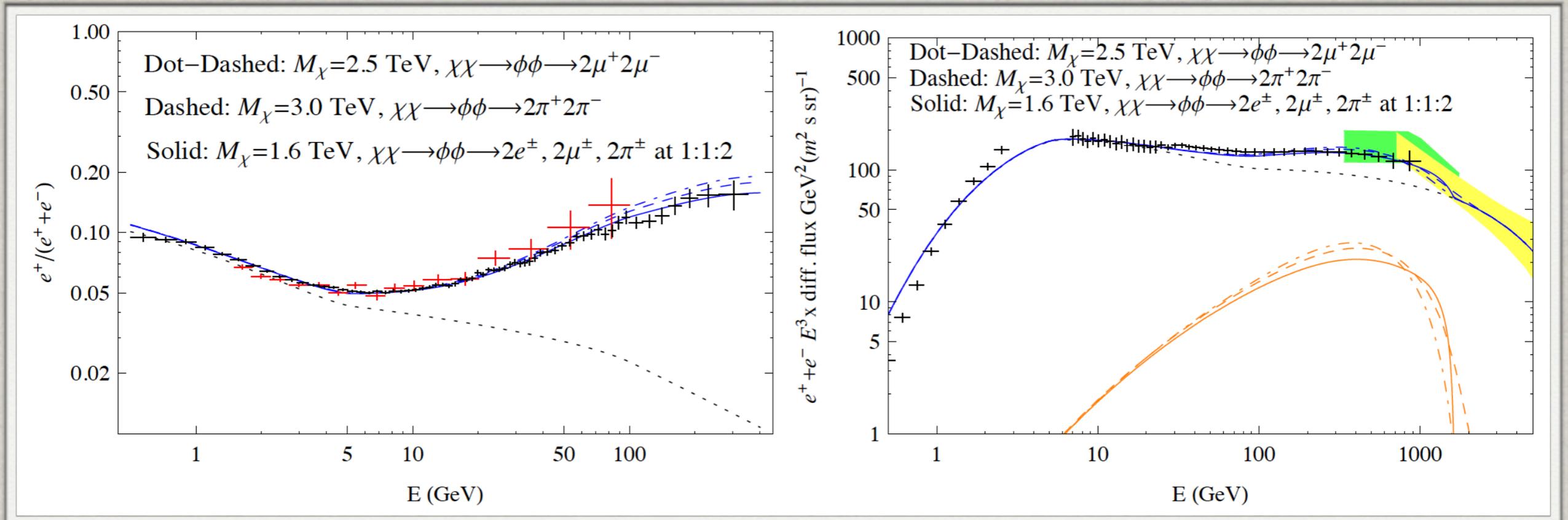
Hooper, Blasi, Serpico (2008)

Profumo (2008)

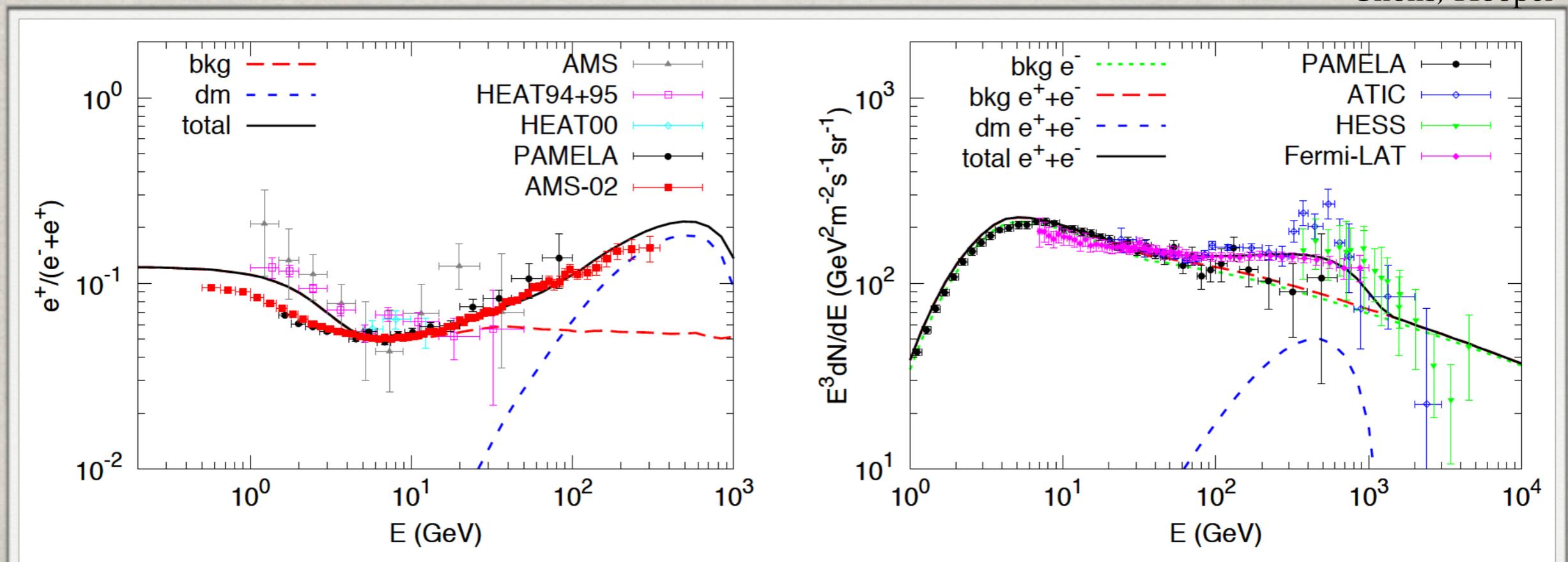


Yuksel, Kistler, Stanev (2008)

# Positrons from dark matter

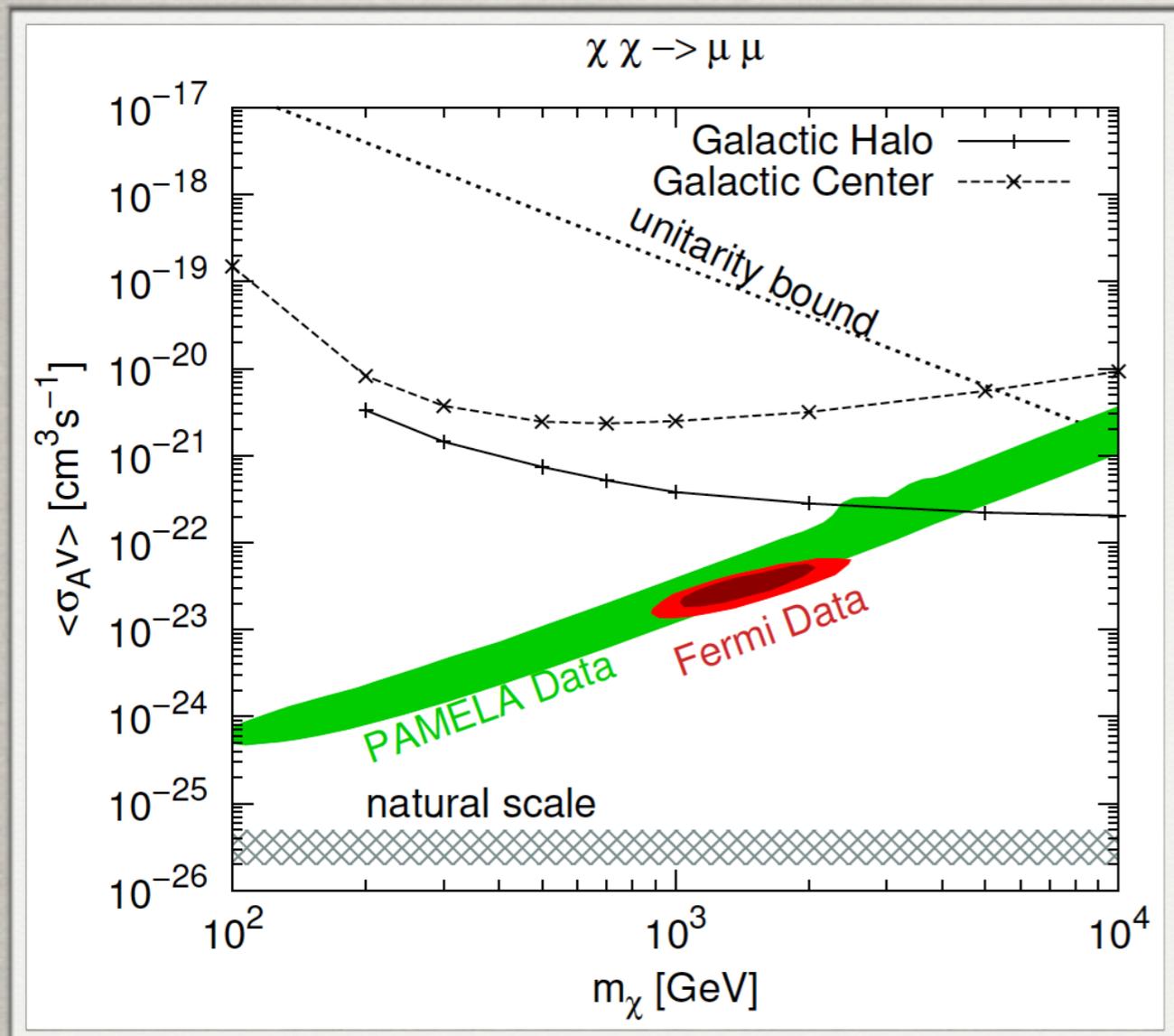


Cholis, Hooper (2013)

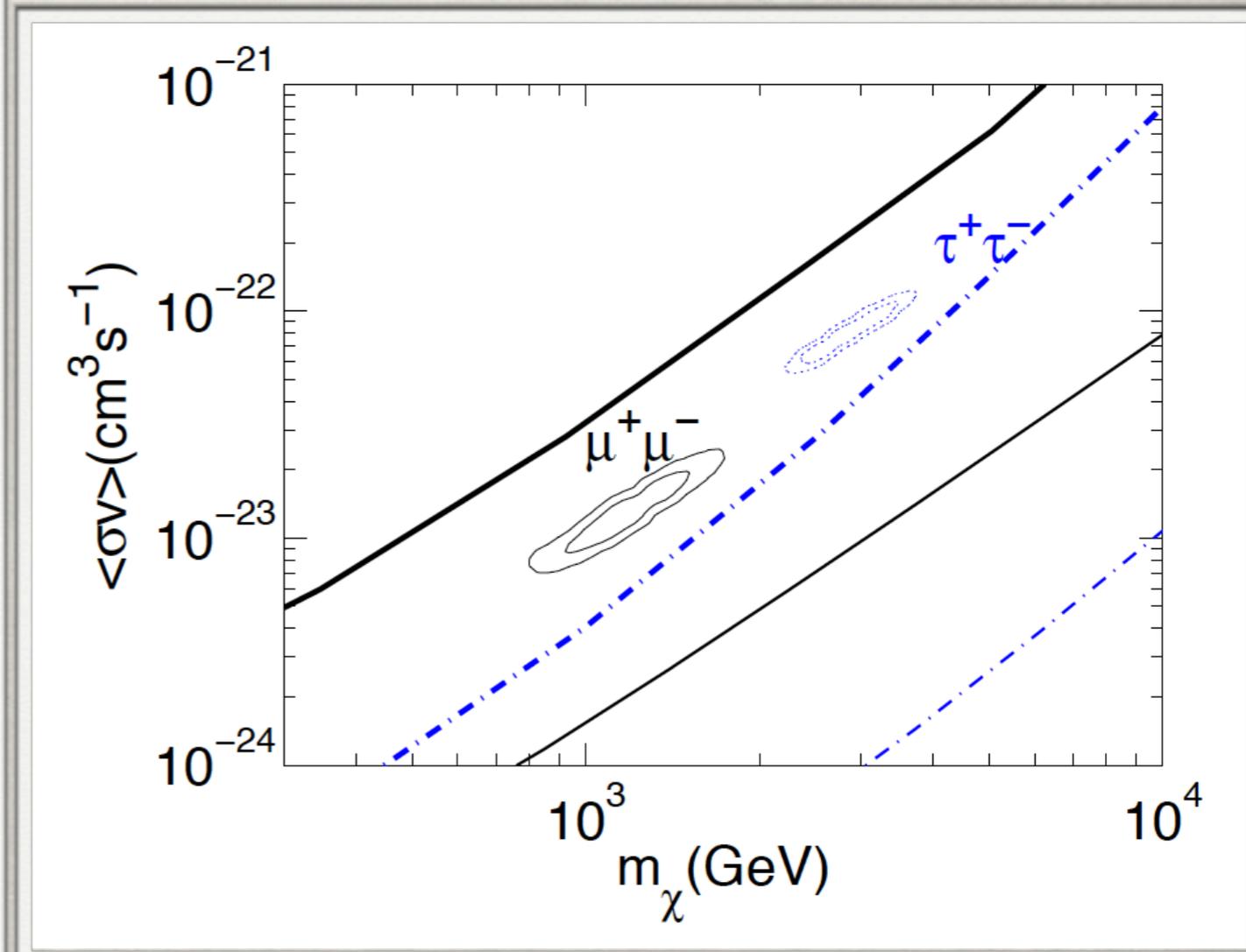


Yuan et al. (2013)

# Positrons from dark matter



IceCube (2013)



Yuan et al. (2013)

# The spherical picture

Goal is to determine anisotropy signals, which get larger at higher energy

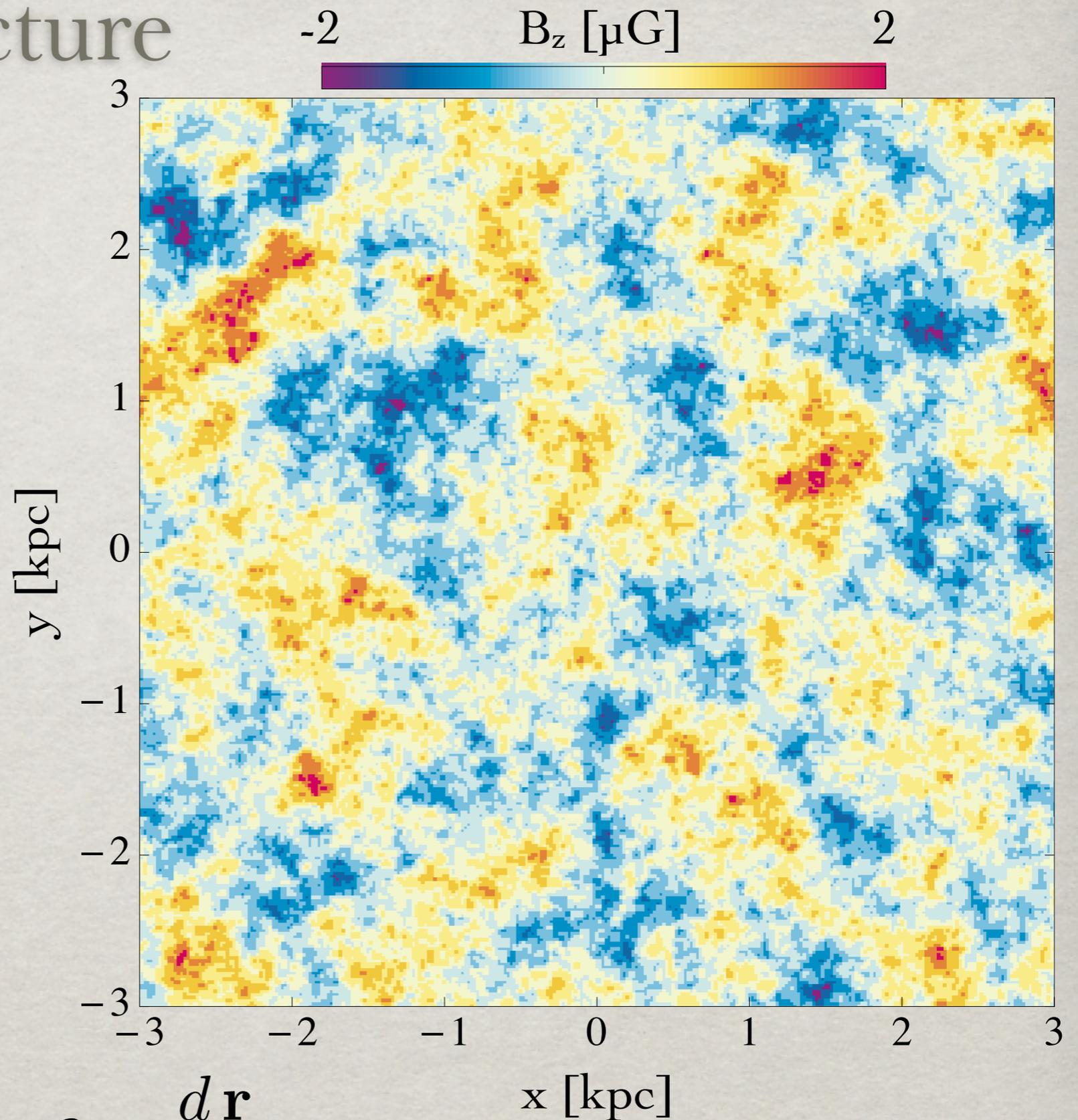
Kolmogorov turbulence

$$B_{\text{rms}} = 3 \mu\text{G}$$

$$l_{\text{max}} \propto 1/k_0$$

$$\frac{d\boldsymbol{\beta}}{dt} \simeq 0.925 \frac{\boldsymbol{\beta} \times \mathbf{B}}{E}$$

$$\boldsymbol{\beta} = \frac{d\mathbf{r}}{dt}$$



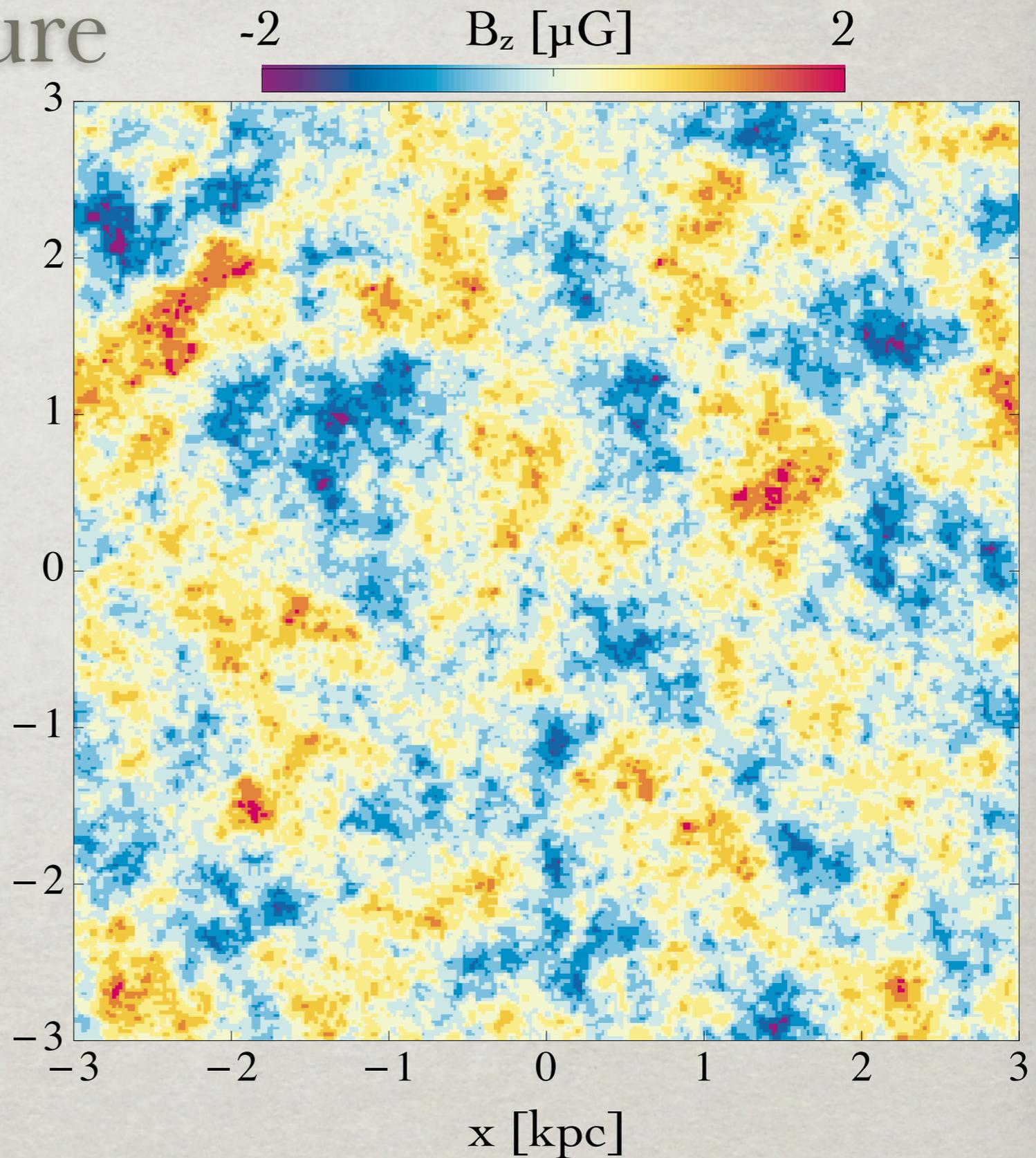
# The spherical picture

$$l_{max} = 150 - 250 \text{ pc}$$

$$r_L \simeq 1.08 \frac{(E/\text{PeV})}{(B/\mu\text{G})}$$

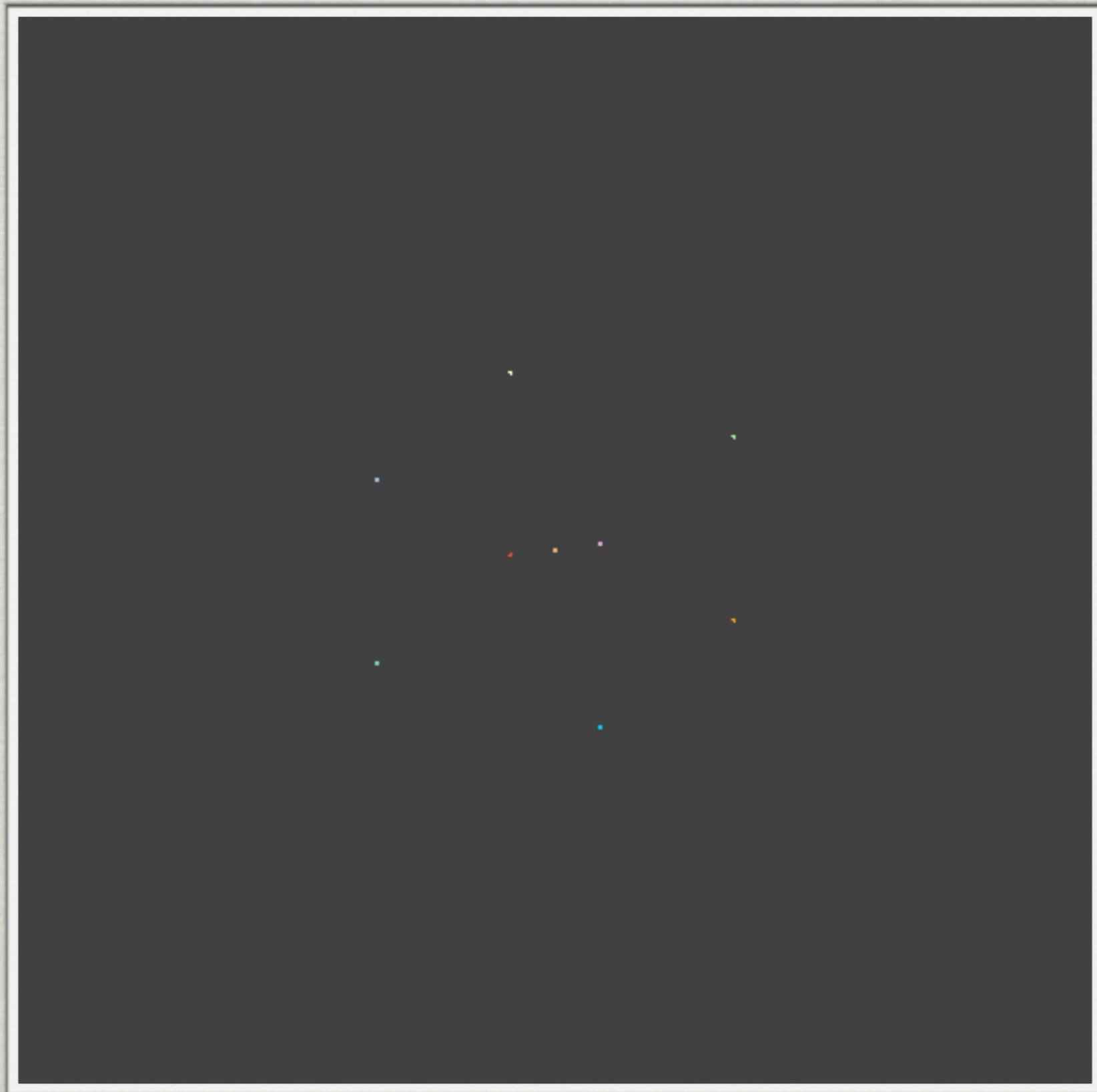
$$\mathbf{B}_{k_0}^{k_N}(\mathbf{r}) \propto \sum_{i=0}^N \eta^{-i/2} \mathbf{B}_{k_0}^{k_1}(\eta^i \mathbf{r})$$

$$-dE/dt = b(E) = b_0 E^2$$



# The spherical picture

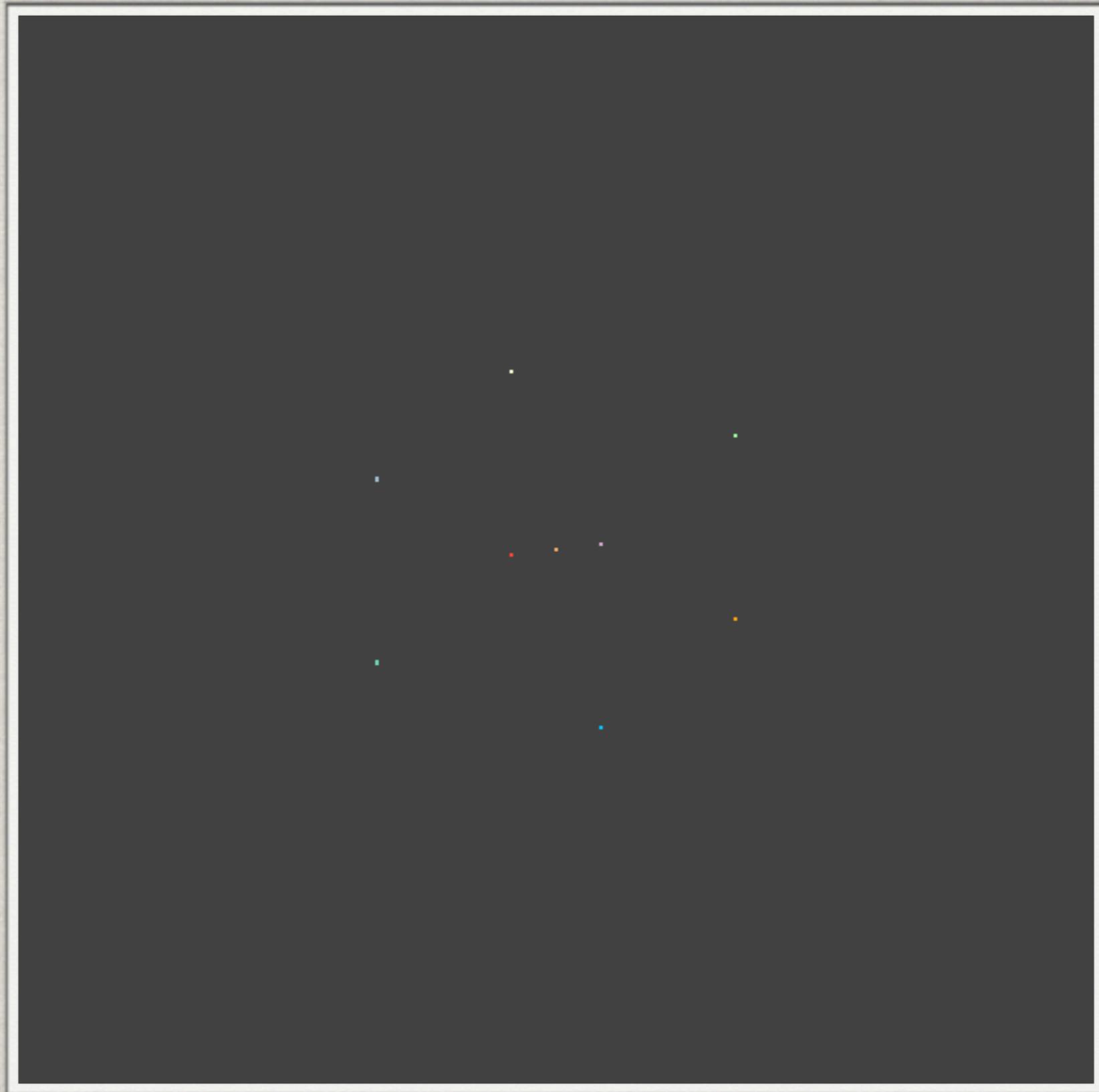
9 sources



Averaged  
over many  
random field  
configurations

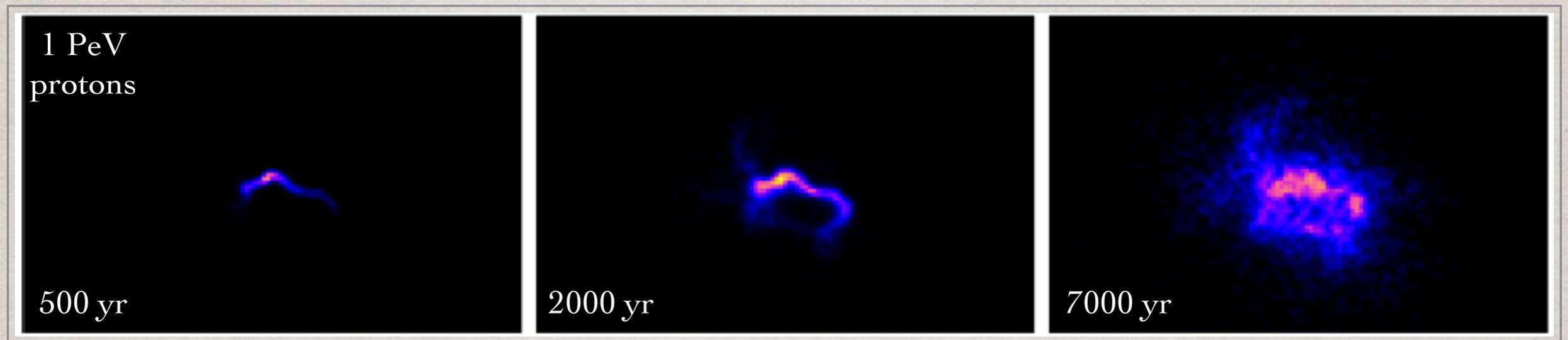
# The non-spherical picture

9 sources



Placed  
throughout a  
single  
random field  
configuration

# The non-spherical picture



Giacinti et al. (2012)

$$t_d \sim 10^4 \left( \frac{l_{\max}}{150 \text{ pc}} \right)^\beta \left( \frac{1000 \text{ TeV}}{E} \right)^\gamma \left( \frac{B_{\text{rand}}}{4 \mu\text{G}} \right)^\gamma \text{ yr}$$

$$t_l \sim 10^5 \left( \frac{1 \text{ TeV}}{E} \right) \left( \frac{5 \mu\text{G}}{B_{\text{tot}}} \right)^2 \left( \frac{1 \text{ eV cm}^{-3}}{\epsilon_\gamma} \right) \text{ yr}$$

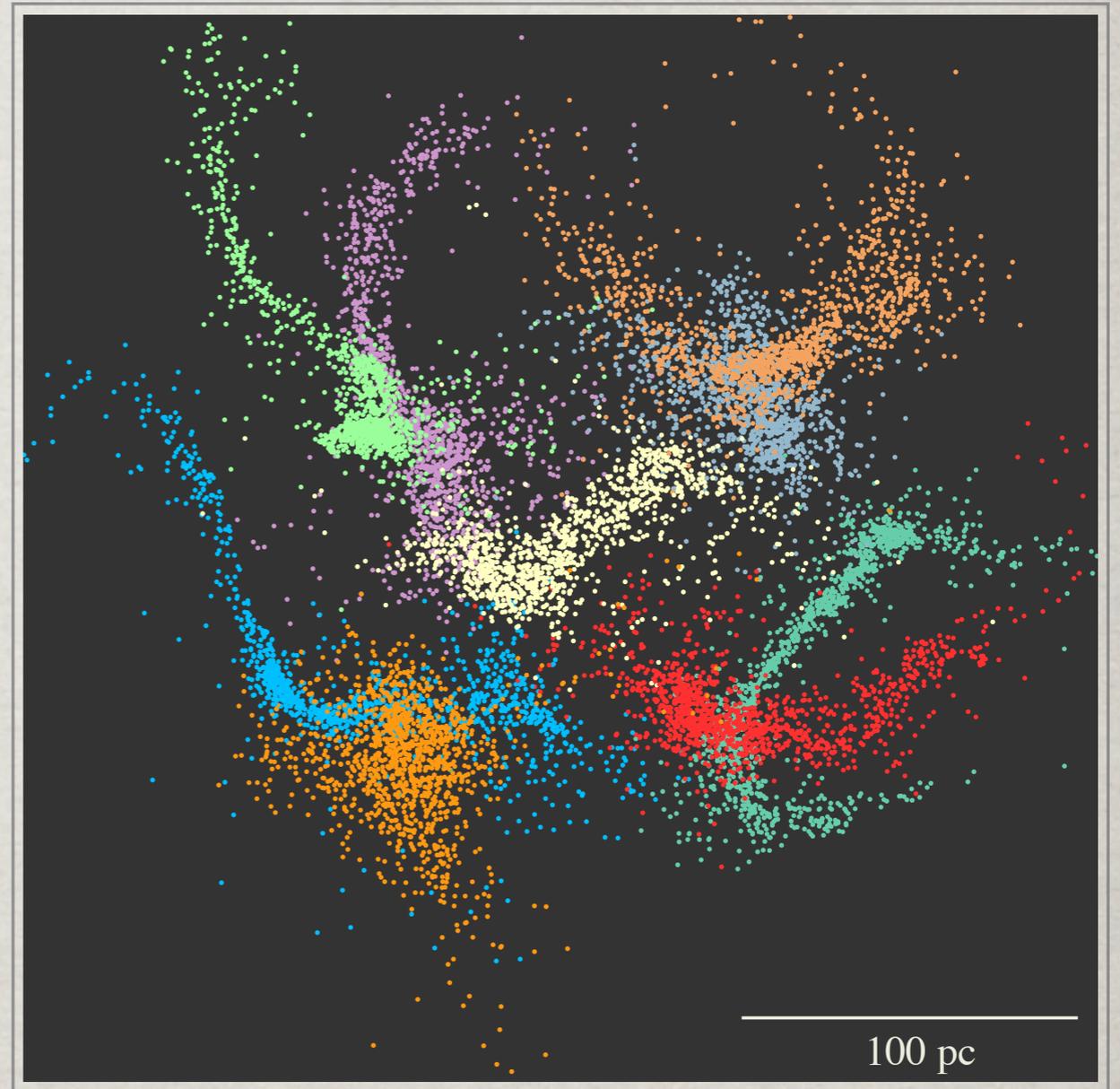
$$l_{\max} = 150 - 250 \text{ pc} \quad B_{\text{tot}} = 4 - 7.5 \mu\text{G} \quad \epsilon_\gamma \sim 1 \text{ eV cm}^{-3}$$

$$t_l = t_d \text{ for } E_c \approx 10 - 1000 \text{ GeV}$$

# The non-spherical picture

If cosmic-ray propagation is to be handled using such fields, electrons/positrons above some energy reside in filamentary structures

Very different from protons



Kistler et al. (2012)

# Conclusions

## Good

Limiting number of sources reaching Earth would lead to featureless spectra

Flux from otherwise unremarkable source could be enhanced

## Bad

Number of positron sources reaching Earth could be reduced to zero

Would need alternative source (i.e., dark matter)

## Ugly

If anisotropies are seen, do not necessarily point back to source

Feedback, MHD effects not included

In any case, taking energy losses into account leads to a need for improved treatment of electron/positron transport